KONG & EVANS



Third edition

Incorporating BS 8110 and microcomputer applications

E & FN SPON

An Imprint of Routledge

Reinforced and Prestressed Concrete

Third edition

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First published 1975 by E & FN Spon, an imprint of Chapman & Hall Second edition 1980
Third edition 1987
Reprinted 1987, 1989, 1990, 1992, 1993, 1994 (twice), 1995, 1996

Reprinted 1998 by E & FN Spon, an imprint of Routledge 11 New Fetter Lane, London EC4P 4EE 29 West 35th Street, New York, NY 10001

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Typeset in 10/11pt Times by Best-set Typesetter Ltd, Hong Kong Printed and bound in Great Britain at the University Press, Cambridge

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British Library Cataloguing in Publication Data

A catalogue record for this book is available from the British Library

ISBN 0-419-24560-X

Printed on acid-free text paper, manufactured in accordance with ANSI/NISO Z39.48-1992 and ANSI/NISO Z39.48-1984 (Permanence of Paper)

Reinforced and Prestressed Concrete

Preface to the Third Edition

The third edition conforms to BS 8110 and includes a new Chapter 12 on microcomputer programs. Like the earlier editions, it is intended as an easy-to-read main text for university and college courses in civil and structural engineering. The threefold aim of the book remains as before, namely:

- (a) To explain in simple terms the basic theories and the fundamental behaviour of structural concrete members.
- (b) To show with worked examples how to design such members to satisfy the requirements of BS 8110.
- (c) To explain simply the technical background to the BS 8110 requirements, relating these where appropriate to more recent research.

Students will find the new edition helpful in their attempts to get to grips with the **why** as well as the **what** and the **how** of the subject.

For the convenience of those readers who are interested mainly in structural design to BS 8110, most of the chapters begin with a **Preliminary note** which lists those parts of the chapter that are directly concerned with BS 8110. However, structural design is not just BS 8110; hence the university or college student should pay attention also to the rest of the book, which has been written with the firm belief that the emphasis of an engineering degree course must be on a sound understanding of the fundamentals and an ability to apply the relevant scientific principles to the solution of practical problems. The authors wish to quote from a letter by Mr G. J. Zunz, co-Chairman of Ove Arup and Partners:

You will see that generally my comments tend to place emphasis on getting the fundamentals straight. As my experience and that of my colleagues develops, I find more and more that it is the fundamentals that matter and those without a sound training in them suffer for the rest of their careers.

Acknowledgements

Sincere thanks are due to Dr B. Mayfield of the University of Nottingham for indispensable help with Chapter 11; to Dr H. H. A. Wong, formerly

Croucher Foundation Scholar at the University of Newcastle upon Tyne, for much valued collaboration on the new Chapter 12; to BS 8110 Committee members Dr A. W. Beeby of the Cement and Concrete Association (C & CA), Mr H. B. Gould of the Property Services Agency, Dr H. P. J. Taylor of Dow Mac Concrete Ltd and Mr R. T. Whittle of Ove Arup and Partners, for advice on the proper interpretation of BS 8110 clauses; to Mr R. S. Narayanan of S. B. Tietz and Partners for advice on the use of the I.Struct.E. Manual; to Mr B. R. Rogers of the C & CA for advice on structural design and detailing; to past and present students at the Universities of Cambridge and Newcastle upon Tyne for helpful comments and valuable assistance with the worked examples: Mr R. B. Barrett, Mr M. Chemrouk, Mr A. E. Collins, Mr J. Cordrey, Mr P. S. Dhillon, Mr J. P. J. Garner, Mr B. K. Goh, Mr K. H. Ho, Mr A. P. Hobbs, Mr D. A. Ireland, Mr H. P. Low, Mr S. F. Ng, Mr E. H. Osicki, Mr A. R. I. Swai, and Dr C. W. J. Tang.

The authors are grateful to Professor P. G. Lowe of the University of Auckland, Dr E. A. W. Maunder of Exeter University and Mr J. P. Withers of Trent Polytechnic for enlightening comments on parts of the earlier editions. They wish also to record, once again, their gratitude to Dr C. T. Morley of Cambridge University, Mr A. J. Threlfall of the C & CA, Dr C. D. Goode of Manchester University and Dr M. S. Gregory of Tasmania University for their valuable comments on the previous editions, on which the present edition has been built.

Extracts from the DoE's Design of Normal Concrete Mixes are included by courtesy of the Director, Building Research Establishment; Crown copyright Controller HMSO. Extracts from BS 8110 are included by kind permission of the British Standards Institution, Linford Wood, Milton Keynes, MK14 6LE, from which complete copies can be obtained. Extracts from the Manual for the Design of Reinforced Concrete Building Structures are included by kind permission of the Institution of Structural Engineers, 11 Upper Belgrave Street, London, SW1X 8BH, from which complete copies can be obtained.

The authors wish to thank Mrs Diane Baty for her excellent typing and Mr George Holland for the skilfully prepared drawings for the new edition. Finally, they wish to thank the publisher's editor Mr Mark Corbett and former editors Dr Dominic Recaldin and Mr David Carpenter; the book owes much of its success to their efforts, devotion and foresight.

F.K.K. R.H.E.

Notation

The symbols are essentially those used in current British design practice; they are based on the principles agreed by the BSI, ACI, CEB and others.

```
= cross-sectional area of member
\boldsymbol{A}
                = area of concrete
A_{c}
                = area of prestressing tendons
A_{\rm ps}
                = area of tension reinforcement; in eqns (6.9–1) and
A_{s}
                     (6.11-6), A_s = area of longitudinal torsion
                     reinforcement
A'_{s}
                = area of compression reinforcement
                = area of longitudinal reinforcement in column; in Chapter
A_{\rm sc}
                     7, A_{sc} = A'_{s1} + A_{s2}
                = area of both legs of a link
A_{\rm sv}
                = area of reinforcement near the more highly compressed
A'_{\rm SI}
                     face of a column section
                = area of reinforcement in the less compressed face of a
As
                     column section
                = deflection; moment arm
a
                = clear distance between bars (Fig. 5.4–1)
ab
                = corner distance (Fig. 5.4–1)
a_{\rm c}
                = additional eccentricity of slender column (eqn 7.4–5)
a_{\rm m}
                = shear span
a_{\nu}
                = width of beam or column; effective flange width; width of
b
                     slab considered
                = width of beam (see eqns 6.2–1 and 6.4–1), to be taken as b
b_{\nu}
                     for a rectangular beam and as b_w for a flanged beam
b_{\mathbf{w}}
                = width of rib or web of beam
                = effective depth; in Chapter 7, d = h - d' = h - d_2 for
                     symmetrically reinforced columns
d'
                = depth from compression face to centroid of compression
                     steel; in Chapter 7, d' = concrete cover to centroid of
                     A'_{\rm s1}
d_{\rm c}
                = depth of concrete stress block
do
                = concrete cover to centroid of A_{s2}
E
                = modulus of elasticity
E_c
                = modulus of elasticity of concrete
```

-	1.1. (.1.4.4.4
E_{s}	= modulus of elasticity of steel
e	= eccentricity
$e_{ m add}$	= additional eccentricity due to slender column effect
e_{\min}	= design minimum eccentricity (= $0.05h \le 20$ mm in BS 8110)
e_{p}	= eccentricity of line of pressure from centroidal axis of
P	beam (sign convention: downwards is positive)
$e_{\rm s}$	= eccentricity of tendon profile from centroidal axis of beam
	(sign convention: downwards is positive)
e_{t}	= eccentricity of transformation profile from centroidal axis
r.	of beam
$\frac{F}{c}$	= design load
f	= stress; strength; frequency
$f_{\rm amax}\left(f_{\rm amin}\right)$	= maximum (minimum) allowable concrete stress under service conditions, compressive stress being positive
$f_{\text{amaxt}}(f_{\text{amint}})$	= maximum (minimum) allowable concrete stress at
	transfer, compressive stress being positive
f_{b}	= anchorage bond stress
$f_{\rm c}$	= concrete compressive stress at compression face of beam;
	compressive stress in concrete
f_{c}'	= concrete cylinder compressive strength
$f_{ m cu}$	= characteristic cube strength of concrete
f_{k}	= characteristic strength (eqn 1.4–1)
f_{m}	= mean strength (eqn 1.4–1)
$f_{\rm ph}$	= tensile stress in prestressing tendons at beam failure
$f_{ m pb} \ f_{ m pc}$	= effective tensile prestress in tendon
$f_{\rm pu}$	= characteristic strength of prestressing tendon
$f_{ m pu} \ f_{ m s}$	= tensile stress in tension reinforcement; steel tensile stress
	in service
$f_{ m s}'$	= compressive stress in compression reinforcement
f'_{s1}	= compressive stress in column reinforcement A'_{s1}
$f_{ m s2}$	= compressive stress in column reinforcement A_{s2}
f_{t}	= cylinder splitting tensile strength of concrete; principal
	tensile stress
f_{y}	= characteristic strength of reinforcement; in eqns (6.9–1)
<i>J</i> ,	and $(6.11-6)$, $f_y = \text{characteristic strength of}$
	longitudinal torsion reinforcement
f_{yy}	= characteristic strength of links
f_{yv} $f_1(f_2)$	= concrete compressive prestress at bottom (top)face of
0. (0-/	beam section in service
$f_{1t}\left(f_{2t}\right)$	= concrete compressive prestress at bottom (top) of beam
V	section at transfer
G	= shear modulus
G_{k}	= characteristic dead load
	= characteristic dead load (distributed)
g _k h	= overall depth of beam or column section; overall
	thickness of slab; in Sections 7.4 and 7.5, $h = \text{overall}$
	depth of column section in the plane of bending
h_{f}	= overall thickness of flange
-	0

```
= larger (smaller) overall dimension of rectangular section
h_{\max}(h_{\min})
               = second moment of area
               = second moment of area of cracked section
I_{\rm c}
I_{\rm u} K
               = second moment of area of uncracked section
               = M/f_{cu}bd^2 (see eqn 4.6–4 and Tables 4.6–1 and 4.7–2);
                    torsion constant (see eqn 6.8–3 and Table 6.8–1);
                    optional reduction factor in slender column design (see
                    eqns 7.4–6 and 7.5–5)
               = M_u/f_{cu}bd^2 (see eqns 4.6–5 and 4.7–5)
K'
               = characteristic ratios of stress block (see Figs 4.2–1, 4.4–1,
k_{1}(k_{2})
                    4.4–4 and 4.4–5)
               = span length; anchorage bond length; (eqn 6.6–3a) column
l
                    height; length of yield line
               = effective column height (Table 7.2–1)
l_{\rm e}
l_{\mathsf{R}}
               = l_1 + l_2 + l_3 + \dots where l_1, l_2, etc. are the vectors
                    representing the yield lines that form the boundary to a
                    rigid region
               = ultimate anchorage bond length (Table 4.10–2 and eqn
l,,
                    6.6-3b
M
               = bending moment (sign convention if required: sagging
                     moments are positive)
               = additional moment due to lateral deflection of a slender
Madd
                    column
M_{\rm d}
               = sagging moment due to dead load in prestressed beam
               = bending moment computed from elastic analysis
M_{\rm c}
               = initial bending moment in column; sagging moment due
M:
                     to imposed load in prestressed beam
M_{\rm imax}(M_{\rm imin}) = {\rm maximum (minimum) sagging moment at section}
                     considered, due to imposed load
M_0
                = ultimate strength in pure bending
                = bending moment due to permanent load; plastic moment
M_{\rm p}
                     of resistance
                = M_{\rm imax} - M_{\rm imin}
M_r
M_{\bullet}
                = bending moment due to total load; total bending moment
                     including additional moment due to slender column
                     effect
M_{\rm u}
                = capacity of singly reinforced beam (see eqn 4.6–5);
                     ultimate moment of resistance
M_1
                = primary moment (sagging) in prestressed beam
Ma
                = secondary moment (sagging) in prestressed beam
M_3
                = resulting moment (sagging) in prestressed beam: M_3 =
                     M_1 + M_2
                = yield moment per unit width of slab
                = yield moment per unit width of slab due to reinforcement
m_1 (m_2)
                     band number 1 (number 2) alone
                = normal moment per unit length along yield line
m_{\rm n}
m_{\rm ns}
                = twisting moment per unit length along yield line
N
                = compressive axial load
N_{\rm bal}
                = compressive axial load corresponding to the balanced
```

-	dition (one 7.5.0)
**	condition (eqn 7.5–8)
$N_{ m uz}$	= capacity of column section under pure axial compression
_	(eqn 7.5–6)
P	= prestressing force at transfer
$P_{\rm c}$	= effective prestressing force
$P_{\rm cmax} (P_{\rm cmin})$	= maximum permissible (minimum required) effective
	prestressing force
Q	= point load
$rac{Q}{Q_{\mathbf{k}}}$	= characteristic imposed load
q	= distributed load
q_{k}	= characteristic imposed load (distributed)
r	= radius of curvature; internal radius of hook or bend (see
	Fig. A-21)
1	
$\frac{-}{r}$	= curvature
1	-1-1-1
$\overline{r_{cs}}$	= shrinkage curvature
1	
$\overline{r_{\rm in}}$	= instantaneous curvature due to permanent load
i	
r_{i}	= instantaneous curvature due to total load
1	1
r_{lo}	= long-term curvature due to permanent load
1	the second secon
$ \frac{1}{r} $ $ \frac{1}{r_{cs}} $ $ \frac{1}{r_{ip}} $ $ \frac{1}{r_{lp}} $ $ \frac{1}{r_{m}} $	= maximum curvature; curvature at critical section
S	= reinforcement spacing
$s_{ m v}$	= longitudinal spacing of links or shear reinforcement
T	= torsional moment
$T_{\rm i}$	= torsional moment resisted by a typical component
* 1	rectangle
T_0	= ultimate strength in pure torsion
$\stackrel{\scriptstyle \sim}{V}$	= shear force (see Fig. 9.2–5 for sign convention where such
,	is required)
$V_{\rm a}$	= shear force resisted by aggregate interlock
$\overset{a}{V_{\mathrm{b}}}$	= shear resistance of bent-up bars (eqn 6.4-4)
$V_{\rm c}$	= shear force resisted by concrete; (in Section 9.6) ultimate
v c	shear resistance of concrete section
$V_{-}(V_{-})$	= ultimate shear resistance of concrete section which is
$V_{\mathrm{c}0}\left(V_{\mathrm{cr}}\right)$	
1/	uncracked (cracked in flexure)
$V_{\rm cz}$	= shear force resisted by concrete compression zone
V_{d}	= shear force resisted by dowel action; dead load shear
17	force
$V_{\rm p}$	= shear force due to prestressing (sign convention as in Fig.
17	9.2–5)
$V_{ m s}$	= shear force resisted by the web steel
v	= design shear stress $(V/b_v d)$
$v_{\rm c}$	= design shear stress for concrete only (= $V_c/b_v d$)
$v_{\rm t}$	= torsional shear stress

```
= permissible torsional shear stress for concrete only
v_{tmin}
                  = maximum permissible torsional shear stress for reinforced
v_{\rm tu}
                        section
                  = maximum permissible shear stress for reinforced section
\nu_{\rm u}
                  = characteristic wind load
W_{\rm k}
                  = characteristic wind load (distributed)
w_k
                  = neutral axis depth
X
                  = smaller centre-to-centre dimension of a link
x_1
                  = larger centre-to-centre dimension of a link
y_1
Z
                  = elastic sectional modulus
Z_1(Z_2)
                  = elastic sectional modulus referred to bottom (top) face of
                        section
                  = lever-arm distance
Z
                  = N/f_{\rm cu}bh; a ratio; an angle; prestress loss ratio
\alpha
                  = N(\text{concrete})/f_{\text{cu}}bh
\alpha_{\rm conc}
                  = modular ratio E_s/E_c
\alpha_{\rm e}
                  =N(A'_{s1})/f_{cu}bh
\alpha_{\rm s1}
                  = N (A_{s2})/f_{cu}bh
\alpha_{s2}
β
                  = M/f_{cu}bh^2; biaxial bending coefficient (Table 7.3–1); bond
                        coefficient (Table 6.6–1); a ratio; an angle; inclination
                        of shear reinforcement or prestressing tendon
                  = slender column coefficient (eqn 7.4–5 and Table 7.5–1)
\beta_{\rm a}
\beta_{\rm b}
                  = moment redistribution ratio (eqns 4.7–1 and 4.7–2)
\beta_{\rm conc}
                  = M (concrete)/f_{cu}bh^2
\beta_{\rm s1}
                  = M (A'_{s1})/f_{cu}bh
                  = M (A_{s2})/f_{cu}bh^2
\beta_{\rm s2}
                  = a ratio; an angle; a partial safety factor
Y
                  = partial safety factor for loads
\gamma_{\rm f}
                  = partial safety factor for materials
\gamma_{\rm m}
                  = strain
                  = concrete compressive strain at compression face of
\varepsilon_{\rm c}
                        section
                  = concrete creep strain
\varepsilon_{cc}
                  = concrete shrinkage; shrinkage strain
Ecs
                  = ultimate concrete strain in compression (= 0.0035 for
\varepsilon_{\rm cu}
                        BS 8110)
\varepsilon_0
                  = concrete strain when peak stress is reached
\varepsilon_{\rm s}
                  = tensile strain in tension reinforcement
\varepsilon_{\rm s}'
                  = compressive strain in compression reinforcement
                  = compressive strain in column reinforcement A'_{s1}
\varepsilon_{\rm s1}'
                  = compressive strain in column reinforcement A_{s2}
\varepsilon_{s2}
\theta
                  = angle of torsional rotation per unit length
\theta_{\mathsf{A}}
                  = vector representing rotation of rigid region A (sign
                        convention: left-hand screw rule)
v
                  = Poisson's ratio
0
                  = tension steel ratio (A_s/bd)
                  = compression steel ratio (A'_s/bd)
0'
                  = web steel ratio (A_{sv}/bd)
Qv
```

σ	= standard deviation
ϕ	= bar size; an angle; creep coefficient
ϕ_1	= torsion function (eqns 6.8–1 to 6.8–3); acute angle
	measured anticlockwise from yield line to moment
	axis

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