

PRINCIPLES and  
MODERN APPLICATIONS of

# MASS TRANSFER OPERATIONS



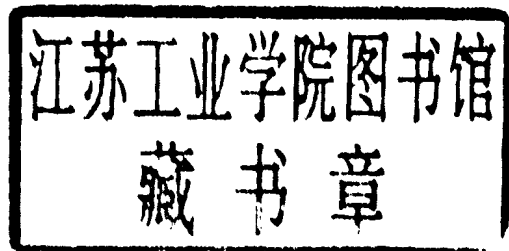
J a i m e   B e n i t e z

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# PRINCIPLES AND MODERN APPLICATIONS OF MASS TRANSFER OPERATIONS

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Jaime Benitez



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PRINCIPLES AND MODERN  
APPLICATIONS OF MASS  
TRANSFER OPERATIONS

A la memoria de mis Viejos  
A Elsa Castro, mi Inspiración y Mecenas  
A Dan Taylor, mi Maestro

# Preface

The importance of the mass-transfer operations in chemical processes is profound. There is scarcely any industrial process that does not require a preliminary purification of raw materials or final separation of products. This is the realm of mass-transfer operations. Frequently, the major part of the cost of a process is that for the separations accomplished in the mass-transfer operations, a good reason for process engineers and designers to master this subject. The mass-transfer operations are largely the responsibility of chemical engineers, but increasingly practitioners of other engineering disciplines are finding them necessary for their work. This is especially true for those engaged in environmental engineering, where separation processes predominate.

My objective in writing this book is to provide a means to teach undergraduate chemical engineering students the basic principles of mass transfer and to apply these principles, aided by modern computational tools, to the design of equipment used in separation processes. The idea for it was born out of my experiences during the last 25 years teaching mass-transfer operations courses at the University of Puerto Rico.

The material treated in the book can be covered in a one-semester course. Chapters are divided into sections with clearly stated objectives at the beginning. Numerous detailed examples follow each brief section of text. Abundant end-of-chapter problems are included, and problem degree of difficulty is clearly labeled for each. Most of the problems are accompanied by their answers. Computer solution is emphasized, both in the examples and in the end-of-chapter problems. The book uses mostly SI units, which virtually eliminates the tedious task of unit conversions and makes it “readable” to the international scientific and technical community.

Following the lead of other authors in the chemical engineering field and related technical disciplines, I decided to incorporate the use of Mathcad into this book. Most readers will probably have a working knowledge of Mathcad. (Even if they don’t, my experience is that the basic knowledge needed to begin using Mathcad effectively can be easily taught in a two-hour workshop.) The use of Mathcad simplifies mass-transfer calculations to a point that it allows the instructor and the student to readily try many different combinations of the design variables, a vital experience for the amateur designer.

The Mathcad environment can be used as a sophisticated scientific calculator, can be easily programed to perform a complicated sequence of calculations (for example, to check the design of a sieve-plate column for flooding, pressure drop, entrainment, weeping, and calculating Murphree plate efficiencies), can be used to plot results, and as a word processor to neatly present homework problems. Mathcad can perform calculations using a variety of unit systems, and will give a warning sig-

nal when calculations that are not dimensionally consistent are tried. This is a most powerful didactic tool, since dimensional consistency in calculations is one of the most fundamental concepts in chemical engineering education.

The first four chapters of the book present a basic framework of analysis that is applicable to any mass-transfer operation. Chapters 5 to 7 apply this common methodology to the analysis and design of the most popular types of mass-transfer operations. Chapter 5 covers gas absorption and stripping, chapter 6 distillation columns, and chapter 7 liquid extraction. This choice is somewhat arbitrary, and based on my own perception of the relevance of these operations. However, application of the general framework of analysis developed in the first four chapters should allow the reader to master, with relative ease, the peculiarities of any other type of mass-transfer operation.

I wish to acknowledge gratefully the contribution of the University of Puerto Rico at Mayagüez to this project. My students in the course INQU 4002 reviewed the material presented in the book, found quite a few errors, and gave excellent suggestions on ways to improve it. I am grateful to Wilmer Ruiz, who was my first contact with Wiley. Michael Penn and Kristin Cooke, of the Wiley staff in New York, were very important in the successful completion of this project. My special gratitude goes to Teresa, my wife, and my four children who were always around lifting my spirits during the long, arduous hours of work devoted to this volume. They make it all worthwhile!

Jaime Benítez  
Mayagüez, Puerto Rico

# Nomenclature

## LATIN LETTERS

<b>A</b>	first-derivative orthogonal collocation matrix; dimensionless.
$A$	absorption factor; dimensionless.
$A$	mass flow rate of species A; kg/s.
$A_a$	active area of a sieve tray; m <sup>2</sup> .
$A_d$	area taken by the downspout in a sieve tray; m <sup>2</sup> .
$A_h$	area taken by the perforations on a sieve tray; m <sup>2</sup> .
$A_n$	net cross-section area between trays inside a tray column; m <sup>2</sup> .
$A_t$	total cross-section area; m <sup>2</sup> .
$a$	mass-transfer surface area per unit volume; m <sup>-1</sup> .
$a_h$	hydraulic, or effective, specific surface area of packing; m <sup>-1</sup> .
$B$	mass flow rate of species B; kg/s.
$c$	total molar concentration; moles/m <sup>3</sup> .
$c_i$	molar concentration of species $i$ ; moles/m <sup>3</sup> .
$C$	total number of components in multicomponent distillation.
$C_p$	specific heat at constant pressure; J/(kg× K).
$C_D$	drag coefficient; dimensionless.
$\mathfrak{D}_{ij}$	Maxwell-Stefan diffusivity for pair $i$ - $j$ ; m <sup>2</sup> /s.
$D_{ij}$	Fick diffusivity or diffusion coefficient for pair $i$ - $j$ ; m <sup>2</sup> /s.
$d_e$	equivalent diameter; m.
$\mathbf{d}_i$	driving force for mass diffusion of species $i$ ; m <sup>-1</sup> .
$d_i$	inside diameter; m.
$d_o$	outside diameter; m.
$d_o$	perforation diameter in a sieve plate; m.
$d_p$	particle size; m.
$d_{vs}$	Sauter mean drop diameter defined in equation (7-48); m.
<b>DM</b>	dimensional matrix.
$D$	tube diameter; m.
$D$	distillate flow rate; moles/s.
$E$	fractional entrainment; liquid mass flow rate/gas mass flow rate.
$E$	extract mass flow rate; kg/s.
$E_m$	mechanical efficiency of a motor-fan system; dimensionless.
$E_o$	Eotvos number defined in equation (7-53); dimensionless.
$EF$	extraction factor defined in equation (7-19); dimensionless.
$E_{ME}$	Murphree stage efficiency in terms of extract composition; dimensionless.
$E_{MG}$	Murphree gas-phase tray efficiency; dimensionless.
$E_{MGE}$	Murphree gas-phase tray efficiency corrected for entrainment.



$E_O$	overall tray efficiency of a cascade; equilibrium trays/real trays.
$E_{OG}$	point gas-phase tray efficiency; dimensionless.
$f_{12}$	proportionality coefficient in equation (1-21).
$f$	friction factor; dimensionless.
$f$	fractional approach to flooding velocity; dimensionless.
$f_{ext}$	fractional extraction; dimensionless.
$F$	mass-transfer coefficient; moles/(m <sup>2</sup> × s).
$F$	molar flow rate of the feed to a distillation column; moles/s.
$F$	mass flow rate of the feed to a liquid extraction process; kg/s.
$F_p$	packing factor; ft <sup>-1</sup> .
$FR_{i,D}$	fractional recovery of component $i$ in the distillate; dimensionless.
$FR_{i,W}$	fractional recovery of component $i$ in the residue; dimensionless.
$Fr_L$	liquid Froude number; dimensionless.
$Ga$	Galileo number; dimensionless.
$G_M$	superficial molar velocity; moles/(m <sup>2</sup> × s).
$G_{Mx}$	superficial liquid-phase molar velocity; moles/(m <sup>2</sup> × s).
$G_{My}$	superficial gas-phase molar velocity; moles/(m <sup>2</sup> × s).
$G_x$	superficial liquid-mass velocity; kg/(m <sup>2</sup> × s).
$G_y$	superficial gas-mass velocity; kg/(m <sup>2</sup> × s).
$Gr_D$	Grashof number for mass transfer; dimensionless.
$Gr_H$	Grashof number for heat transfer; dimensionless.
$Gz$	Graetz number; dimensionless.
$g$	acceleration due to gravity; 9.8 m/s <sup>2</sup> .
$g_c$	dimensional conversion factor; 1 kg × m/(N × s <sup>2</sup> ).
$H$	Henry's law constant; atm, kPa, Pa.
$H$	molar enthalpy; J/mole.
$H$	height of mixing vessel; m.
HETS	height equivalent to a theoretical stage in staged liquid extraction columns; m.
$HK$	heavy-key component in multicomponent distillation.
$\Delta H_S$	heat of solution; J/mole of solution.
$H_{tL}$	height of a liquid-phase transfer unit; m.
$H_{tG}$	height of a gas-phase transfer unit; m.
$H_{tOG}$	overall height of a gas-phase transfer unit; m.
$H_{tOL}$	overall height of a liquid-phase transfer unit; m.
$h$	convective heat-transfer coefficient, W/(m <sup>2</sup> × K).
$h_d$	dry-tray head loss; cm of liquid.
$h_l$	equivalent head of clear liquid on tray; cm of liquid.
$h_L$	specific liquid holdup; m <sup>3</sup> holdup/m <sup>3</sup> packed bed.
$h_t$	total head loss/tray; cm of liquid.
$h_w$	weir height; m.
$h_\sigma$	head loss due to surface tension; cm of liquid.
$h_{2\phi}$	height of two-phase region on a tray; m.

$i$	number of dimensionless groups needed to describe a situation.
$j_D$	Chilton-Colburn $j$ -factor for mass transfer; dimensionless.
$j_H$	Chilton-Colburn $j$ -factor for heat transfer; dimensionless.
$\mathbf{j}_i$	mass diffusion flux of species $i$ with respect to the mass-average velocity; $\text{kg}/(\text{m}^2 \times \text{s})$ .
$\mathbf{J}_i$	molar diffusion flux of species $i$ with respect to the molar-average velocity; $\text{moles}/(\text{m}^2 \times \text{s})$ .
$J_0$	Bessel function of the first kind and order zero; dimensionless.
$J_1$	Bessel function of the first kind and order one; dimensionless.
$K$	distribution coefficient; dimensionless.
$K_W$	wall factor in Billet-Schultes pressure-drop correlations; dimensionless.
$k$	thermal conductivity; $\text{W}/(\text{m} \times \text{K})$ .
$k_c$	convective mass-transfer coefficient for diffusion of A through stagnant B in dilute gas-phase solution with driving force in terms of molar concentrations; $\text{m/s}$ .
$k'_c$	convective mass-transfer coefficient for equimolar counterdiffusion in gas-phase solution with driving force in terms of molar concentrations; $\text{m/s}$ .
$k_G$	convective mass-transfer coefficient for diffusion of A through stagnant B in dilute gas-phase solution with driving force in terms of partial pressure; $\text{moles}/(\text{m}^2 \times \text{s} \times \text{Pa})$ .
$K_G$	overall convective mass-transfer coefficient for diffusion of A through stagnant B in dilute solutions with driving force in terms of partial pressures; $\text{moles}/(\text{m}^2 \times \text{s} \times \text{Pa})$ .
$k'_G$	convective mass-transfer coefficient for equimolar counterdiffusion in gas-phase solution with driving force in terms of partial pressure; $\text{moles}/(\text{m}^2 \times \text{s} \times \text{Pa})$ .
$k_L$	convective mass-transfer coefficient for diffusion of A through stagnant B in dilute liquid-phase solution with driving force in terms of molar concentrations; $\text{m/s}$ .
$k'_L$	convective mass-transfer coefficient for equimolar counterdiffusion in liquid-phase solution with driving force in terms of molar concentrations; $\text{m/s}$ .
$k_r$	reaction rate constant; $\text{moles}/(\text{m}^2 \times \text{s} \times \text{mole fraction})$ .
$k_x$	convective mass-transfer coefficient for diffusion of A through stagnant B in dilute liquid-phase solution with driving force in terms of mole fractions; $\text{moles}/(\text{m}^2 \times \text{s})$ .
$K_x$	overall convective mass-transfer coefficient for diffusion of A through stagnant B in dilute solutions with driving force in terms of liquid-phase molar fractions; $\text{moles}/(\text{m}^2 \times \text{s})$ .
$k'_x$	convective mass-transfer coefficient for equimolar counterdiffusion in liquid-phase solution with driving force in terms of mole fractions; $\text{moles}/(\text{m}^2 \times \text{s})$ .

$k_y$	convective mass-transfer coefficient for diffusion of A through stagnant B in dilute gas-phase solution with driving force in terms of mole fractions; moles/(m <sup>2</sup> × s).
$K_y$	overall convective mass-transfer coefficient for diffusion of A through stagnant B in dilute solutions with driving force in terms of gas-phase molar fractions; moles/(m <sup>2</sup> × s).
$k'_y$	convective mass-transfer coefficient for equimolar counterdiffusion in gas-phase solution with driving force in terms of mole fractions; moles/(m <sup>2</sup> × s).
$L$	characteristic length, m.
$L$	molar flow rate of the $L$ -phase; moles/s.
$L$	length of settling vessel; m.
$LK$	light-key component in multicomponent distillation.
$L_S$	molar flow rate of the nondiffusing solvent in the $L$ -phase; moles/s.
$L'$	mass flow rate of the $L$ -phase; kg/s.
$L'_S$	mass flow rate of the nondiffusing solvent in the $L$ -phase; kg/s.
$L_e$	entrainment mass flow rate, kg/s.
$L_w$	weir length; m.
$l$	characteristic length, m.
$l$	tray thickness; m.
$Le$	Lewis number; dimensionless.
$M_i$	molecular weight of species $i$ .
$m$	amount of mass; kg.
$m$	slope of the equilibrium distribution curve; dimensionless.
$\mathbf{n}$	total mass flux with respect to fixed coordinates; kg/(m <sup>2</sup> × s).
$\mathbf{n}_i$	mass flux of species $i$ with respect to fixed coordinates; kg/(m <sup>2</sup> × s).
$n$	number of variables significant to dimensional analysis of a given problem.
$n$	rate of mass transfer from the dispersed to the continuous phase in liquid extraction; kg/s.
$\mathbf{N}$	total molar flux with respect to fixed coordinates; moles/(m <sup>2</sup> × s).
$\mathbf{N}_i$	molar flux of species $i$ with respect to fixed coordinates; moles/(m <sup>2</sup> × s).
$N$	number of equilibrium stages in a cascade; dimensionless.
$N_E$	mass of B/(mass of A + mass of C) in the extract liquids.
$N_R$	number of stages in rectifying section; dimensionless.
$N_R$	mass of B/(mass of A + mass of C) in the raffinate liquids.
$N_S$	number of stages in stripping section; dimensionless.
$N_{iL}$	number of liquid-phase transfer units; dimensionless.
$N_{iG}$	number of gas-phase transfer units; dimensionless.
$N_{iOD}$	overall number of dispersed-phase transfer units; dimensionless.
$N_{iOG}$	overall number of gas-phase transfer units; dimensionless.
$N_{iOL}$	overall number of liquid-phase transfer units; dimensionless.
$Nu$	Nusselt number; dimensionless.
$n$	number of species in a mixture.

$O_i$	molar oxygen concentration in the air leaving an aeration tank; percent.
$O_{eff}$	oxygen transfer efficiency; mass of oxygen absorbed by water/total mass of oxygen supplied.
$p'$	pitch, distance between centers of perforations in a sieve plate; m.
$p_i$	partial pressure of species $i$ ; atm, Pa, kPa, bar.
$p_{B,M}$	logarithmic mean partial pressure of component B; atm, Pa, kPa, bar.
$P$	total pressure; atm, Pa, kPa, bar.
$P$	permeate flow (through a membrane); moles/s.
$P$	impeller power; kW.
$P_c$	critical pressure, Pa, kPa, bar.
$Pe_D$	Peclet number for mass transfer.
$Pe_H$	Peclet number for heat transfer.
$P_i$	vapor pressure of species $i$ ; atm, Pa, kPa, bar.
$Po$	power number defined in equation (7-37); dimensionless.
$Pr$	Prandtl number; dimensionless.
$Q$	volumetric flow rate; m <sup>3</sup> /s.
$Q$	net rate of heating; J/s.
$q$	parameter defined by equation (6-27); dimensionless.
$r$	rank of the dimensional matrix, <b>DM</b> .
$r_A$	solute particle radius; m.
$R$	radius; m.
$R$	ideal gas constant; Pa × m <sup>3</sup> /(mol × K).
$R$	reflux ratio; mole of reflux/moles of distillate.
$R$	raffinate mass flow rate; kg/s.
$R_m$	retentate flow (in a membrane); moles/s.
$Re$	Reynolds number; dimensionless.
$R_i$	volumetric rate of formation of component $i$ ; moles/(m <sup>3</sup> × s).
$S$	surface area, cross-sectional area; m <sup>2</sup> .
$S$	stripping factor, reciprocal of absorption factor ( $A$ ); dimensionless.
$S$	mass flow rate of the solvent entering a liquid extraction process; kg/s.
$Sc$	Schmidt number; dimensionless.
$Sh$	Sherwood number; dimensionless.
$St_D$	Stanton number for mass transfer; dimensionless.
$St_H$	Stanton number for heat transfer; dimensionless.
$t$	tray spacing; m.
$t$	time; s, hr.
$t_{res}$	residence time; min.
$T$	temperature; K.
$T_b$	normal boiling point temperature; K.
$T_c$	critical temperature, K.
$x_i$	mole fraction of species $i$ in either liquid or solid phase.
$x_i$	mass fraction of species $i$ in raffinate (liquid extraction).
$x_{B,M}$	logarithmic mean mole fraction of component B in liquid or solid phase.

$x$	rectangular coordinate.
$x'$	mass of C/mass of A in raffinate liquids.
$X$	mole ratio in phase $L$ ; moles of A/mole of A-free $L$ .
$X$	flow parameter; dimensionless.
$X$	parameter in Gilliland's correlation, see equation (6-83); dimensionless.
$X$	mass of C/(mass of A + mass of C) in the raffinate liquids.
$X'$	mass ratio in phase $L$ ; kg of A/kg of A-free $L$ .
$y$	rectangular coordinate.
$y'$	mass of C/mass of B in extract liquids.
$y_{B,M}$	logarithmic mean mole fraction of component B in gas phase.
$y_i$	mole fraction of species $i$ in the gas phase.
$y_i$	mass fraction of species $i$ in extract (liquid extraction).
$Y$	mole ratio in phase $V$ ; moles of A/mole of A-free $V$ .
$Y$	pressure-drop parameter defined in equation (4-6); dimensionless.
$Y$	parameter in Gilliland's correlation, see equation (6-82); dimensionless.
$Y$	mass of C/(mass of A + mass of C) in the extract liquids.
$Y'$	mass ratio in phase $V$ ; kg of A/kg of A-free $V$ .
$u$	fluid velocity past a stationary flat plate, parallel to the surface; m/s.
$\mathbf{v}$	mass-average velocity for multicomponent mixture; m/s.
$\mathbf{v}_i$	velocity of species $i$ ; m/s.
$v_t$	terminal velocity of a particle; m/s.
$\mathbf{V}$	molar-average velocity for multicomponent mixture; m/s.
$V$	volume; $\text{m}^3$ .
$V$	molar flow rate of the $V$ -phase; moles/s.
$V_S$	molar flow rate of the nondiffusing solvent in the $V$ -phase; moles/s.
$V'$	mass flow rate of the $V$ -phase; kg/s.
$V'_S$	mass flow rate of the nondiffusing solvent in the $V$ -phase; kg/s.
$V_A$	molar volume of a solute as liquid at its normal boiling point; $\text{cm}^3/\text{mol}$ .
$V_B$	boilup ratio; moles of boilup/moles of residue.
$V_b$	molar volume of a substance as liquid at its normal boiling point; $\text{cm}^3/\text{mol}$ .
$V_c$	critical volume; $\text{cm}^3/\text{mol}$ .
$w$	mass-flow rate; kg/s.
$W$	work per unit mass; J/kg.
$W$	molar flow rate of the residue from a distillation column; moles/s.
$We$	Weber number defined in equation (7-49); dimensionless.
$z$	rectangular coordinate.
$z_i$	average mole fraction of component $i$ in a solution or multiphase mixture.
$Z$	total height; m.
$Z_c$	compressibility factor at critical conditions; dimensionless.
$Z_R$	total height of the rectifying section of a packed fractionator; m.
$Z_S$	total height of the stripping section of a packed fractionator; m.

## GREEK LETTERS

$\alpha$	thermal diffusivity; $\text{m}^2/\text{s}$ .
$\alpha$	relative volatility; dimensionless.
$\alpha_m$	membrane separation factor; dimensionless.
$\beta$	volume coefficient of thermal expansion; $\text{K}^{-1}$ .
$\Gamma$	matrix of thermodynamic factors with elements defined by equation (1-32).
$\gamma_i$	activity coefficient of species $i$ in solution.
$\delta_{ij}$	Kronecker delta; 1 if $i = j$ , 0 otherwise.
$\Delta_R$	difference in flow rate, equation (7-12); $\text{kg/s}$ .
$\delta$	length of the diffusion path; $\text{m}$ .
$\varepsilon$	porosity or void fraction; dimensionless.
$\varepsilon_{AB}$	Lennard-Jones parameter; $\text{erg}$ .
$\eta$	vector of collocation points along the diffusion path; dimensionless.
$\theta$	membrane cut; moles of permeate/moles of feed.
$\kappa$	Boltzmann constant; $1.38 \times 10^{-16} \text{ erg/K}$ .
$\kappa$	constant in equation (4-46), defined in equation (4-47); dimensionless.
$\lambda_i$	molar latent heat of vaporization of component $i$ ; $\text{J/mole}$ .
$\lambda$	similar to the stripping factor, $S$ , in equations (4-56) to (4-61).
$\mu_i$	chemical potential of species $i$ ; $\text{J/mol}$ .
$\mu_B$	solvent viscosity; $\text{cP}$ .
$\nu$	momentum diffusivity, or kinematic viscosity; $\text{m}^2/\text{s}$ .
$\xi$	reduced inverse viscosity in Lucas method; $(\mu\text{P})^{-1}$ .
$\pi$	constant; 3.1416
$\pi$	Pi groups in dimensional analysis.
$\rho$	mass density; $\text{kg/m}^3$ .
$\rho_i$	mass density of species $i$ ; $\text{kg/m}^3$ .
$\sigma_{AB}$	Lennard-Jones parameter; $\text{\AA}$ .
$\sigma$	surface tension, $\text{dyn/cm}$ , $\text{N/m}$ .
$\tau$	shear stress; $\text{N/m}^2$ .
$\Phi_B$	association factor of solvent B; dimensionless.
$\phi$	packing fraction in hollow-fiber membrane module; dimensionless.
$\phi$	root of equation (6-78); dimensionless.
$\phi_e$	effective relative froth density; height of clear liquid/froth height.
$\phi_C$	fractional holdup of the continuous liquid phase.
$\phi_D$	fractional holdup of the dispersed liquid phase.
$\varphi_G$	specific gas holdup; $\text{m}^3 \text{ holdup/m}^3 \text{ total volume}$ .
$\omega_i$	mass fraction of species $i$ .
$\Omega_D$	diffusion collision integral; dimensionless.
$\Omega$	impeller rate of rotation; $\text{rpm}$ .
$\Psi_A$	molar flux fraction of component A; dimensionless.
$\Psi_0$	dry-packing resistance coefficient in Billet-Schultes pressure-drop correlations; dimensionless.

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