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# $MODERN\ WORKSHOP$ TECHNOLOGY

IN THREE PARTS

PART II
MACHINE TOOLS &
MANUFACTURING
PROCESSES

SECOND EDITION



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## PART II: MACHINE TOOLS & MANUFACTURING PROCESSES

#### MODERN WORKSHOP TECHNOLOGY

EDITOR: H. WRIGHT BAKER D.SC. M.I.MECH.E.

PART I: MATERIALS: PRIMARY AND INTERMEDIATE

PART II: MACHINE TOOLS AND MANUFACTURING PROCESSES

PART III: PRODUCTION PLANNING AND AUTOMATIC MACHINES (in Prepn.)

#### PREFACE

In the preparation of the second edition of Volume II we have endeavoured to make a somewhat more systematic approach to the subjects covered, and to bring each section up to date within the scope of the book. This has involved not only the introduction of new topics, but the rewriting of several chapters, sometimes from a different angle and by fresh contributors. The result has been a notable increase in the length of the volume, but it is hoped that there is a more than proportionate increase in its value.

It has seemed essential in the first section to break with the old traditions according to which each type of machine tool was considered as a separate creation, and, instead, to see them as members of a single family having many features in common and with differences dictated more by convenience than by principle. There are many books which show how a lathe can turn, and which indicate the very wide range of work which, if necessary, it can be made to cover, but there is very little information available in a convenient form which shows how the work can be done economically by modern standards, perhaps with automatic operation and control, and using materials which were undreamed of a generation ago.

In certain fields—such as that of the understanding of the processes involved in the actual cutting of metals—much new knowledge is being gained, but at present the intricacies of the new theories tend to explain known facts rather than point the way to new practices. In this section the trends of recent researches have largely been omitted to avoid complicating general problems. On the other hand it has been felt necessary to deal in detail with some of the intricate problems of "Surface Finish" in order to help the reader to weave his way with fair safety through the maze of technical and academic literature which appears at times to bedevil his progress, the latter type sometimes seemingly justifying the use of inverted commas and a capital "A".

The recently developed techniques of ultrasonic and electrical machining have been added, and much care has been given to the

coordination of all these contributions, so as to form a coherent picture of the latest views and practice.

It is hoped the book will provide answers to many of the machining problems which arise in small and medium-sized workshops and that a third volume will add information concerning the principles involved in the selection and running of more complex plant for large-scale production.

H. WRIGHT BAKER

Manchester, May 1960

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#### CHAPTER I

# METAL CUTTING MACHINE TOOLS PRINCIPLES OF DESIGN AND USE

By F. KOENIGSBERGER, D.Sc., DIPL. ING., M.I.MECH.E., M.I.PROD.E., MEM. A.S.M.E.

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Spindle and Feed Drives. The action of a metal cutting tool is based on the relative movement between the tool edge and the material to be cut. If the cutting action is intermittent, as in the planing machine and the shaper, then, as soon as the cut has been made, fresh material must be fed in front of the cutting edge if the operation is to be repeated. If, however, the operation is continuous, as in the lathe, drilling machine, cylindrical grinder or milling machine, both cutting and feeding motions may be simultaneous and continuous. Machine tool mechanisms have to provide both the cutting and the feeding movements, each of which may be allotted either to the tool or to the work piece (Table 1.1).

SPINDLE DRIVES. The relative velocity between the tool edge and the material to be cut is called the cutting velocity v, and its optimum value has to be chosen in accordance with the properties of the tool and those of the workpiece material and shape (see page 96). Universal machine tools must be suitable for machining many materials and various shapes of workpieces, and a wide range of cutting velocities, varying between a maximum vmax and a minimum  $v_{\min}$ , must therefore be available. If the relative velocity vof the cutting movement is produced by rotation of either the workpiece or of the tool, the required number of revolutions per minute nof the rotating part (the spindle speed) is determined by its diameter, d in Fig. 1.1. In the equation  $v = \pi dn$ , d is the cutting diameter of the rotating tool or the diameter of the surface that is to be cut by the machining operation in question. On a universal machine tool, d may vary between possible maximum and minimum depending on the capacity of the machine.

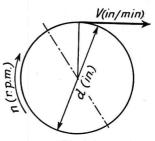
TABLE 1.1

Type of Operation	Cutting Movement 'C'	Feed Movement 'F'
Turning	Workpiece	Tool
Drilling C	Tool	Tool
Cylindrical Grinding	Tool	Workpiece (a) and Tool (b) or Workpiece (a & b)
Milling	Tool	Workpiece
Planing (I) Shaping (II)  Can  F(II)  C(II)	Workpiece (I) Tool (II)	Tool (I) Workpiece (II)

The optimum spindle speed n depends, therefore upon diameter d and recommended cutting velocity v,

i.e. 
$$n = \frac{v}{\pi d}$$

and in order to provide the beforementioned ranges for v and d, spindle speeds should be available which cover a range between



$$n_{ ext{max}} = rac{v_{ ext{max}}}{\pi d_{ ext{min}}}$$
 and  $n_{ ext{min}} = rac{v_{ ext{min}}}{\pi d_{ ext{max}}}$ 

It is usually not practicable to provide an infinitely variable range of spindle speeds, and thus the exact optimum value of the cutting velocity cannot always be obtained. However, it is possible to establish certain limits for cutting velocities used in connection with the tool and workpiece materials in question. The top limit  $v_{\text{max}}$  would be the highest permissible velocity with which a required minimum tool life can be obtained, and the bottom limit  $v_{\min}$  is the lowest economically justifiable velocity. If the cutting velocity is plotted as a function of the diameter of the rotating part a straight line is obtained for each spindle speed n (Fig. 1.2). If the spindle rotates at  $n_1$  r.p.m., the diameter must not be larger than  $d_1$ and not smaller than  $d_2$ , in order to keep between the limits  $v_{\text{max}}$ and  $v_{\min}$ . For diameters smaller than  $d_2$  a higher spindle speed  $n_2$ is required, and this is suitably chosen in such a manner as to provide again the maximum permissible cutting velocity  $v_{\text{max}}$  for  $d_2$ , covering an economically machinable range of diameters down to diameter  $d_3$ . Similarly  $n_3$ ,  $n_4$ , etc. can be chosen. In general terms

$$v_{\text{max}} = \pi d_n \cdot n_n$$
  
 $= \pi d_{n+1} \cdot n_{n+1}$ , etc.  
 $v_{\text{min}} = \pi d_{n+1} \cdot n_n$   
 $= \pi d_{n+2} \cdot n_{n+1}$ , etc.  
 $\frac{n_{n+1}}{n_n} = \frac{v_{\text{max}}}{v_{\text{min}}} = \text{constant.}$ 

In other words, in a range of spindle speeds which allows each diameter to be machined with a cutting velocity of not more than a specified value  $v_{\rm max}$ , and not less than a specified value  $v_{\rm min}$  the available spindle speeds must be arranged in a geometric progression with the ratio  $\varphi = v_{\rm max}/v_{\rm min}$ .

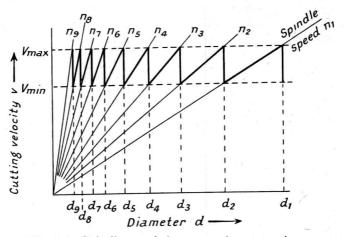


Fig. 1.2. Spindle speeds in geometric progression

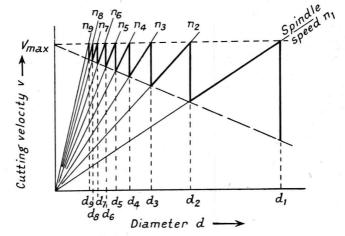


Fig. 1.3. Spindle speeds in arithmetical progression

The diagram, Fig. 1.2, often called the "saw diagram", gives a picture of the conditions; it shows the rather wide gap at the higher end and the larger number of available speeds at the lower end of the diameter range. This is even more pronounced in an arithmetical progression of spindle speeds (Fig. 1.3) which has no constant bottom limit  $v_{\min}$  and in which the possibility of obtaining economical cutting conditions becomes more and more remote with increasing diameters.

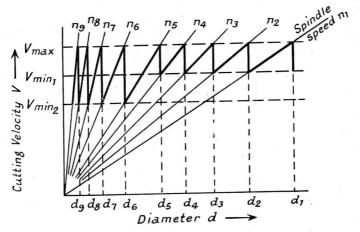


Fig. 1.4. Spindle speeds in two geometric progressions

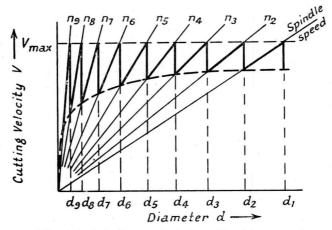


Fig. 1.5. Spindle speeds in logarithmic progression

It has been suggested to use a selected speed range made up from several geometric progressions with different ratios (different values of  $v_{\min}$  and therefore of  $v_{\max}/v_{\min}$ ) (Fig. 1.4).

Another suggestion\* advocates the use of a range of logarithmic progression in which the value  $v_{\rm max}/v_{\rm min}$  is a function of the diameter (Fig. 1.5). The use of geometrical progressions has already been accepted internationally in the establishment of "preferred

\* M. Kronenberg: Grundzüge der Zerspanungslehre (2nd edn., Springer, Berlin, 1954).

Table 1.2. Standard Spindle Speeds (Under Load)

$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	^	1	1									
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		7		1400			2800			2600		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		1.6	1120	,	1800		2800		4500		7100	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	II	1.6		1400	,	2240	,	3550		2600	,	0006
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		1.4	1000	1400		7007	2800	000	4000	2600	000	2000
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		1.25	1120	1400	1800	2240	2800	3550	4500	2600	7100	0006
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	-	1.12	1120	1400	086	2240	2800	3550	4500	2000	7100	0006
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		.7			180			355		÷ ,	710	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		1.6	112		180		280		450		710	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		1.6		140		224		355		260		006
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	φ	1.4	, <u>r</u>	3	180	010	007	355	Š	200	710	
φ = 1.25 1.4 1.6 1.6 2 11.2 11.2 11.2 11.2 18 16 18 22.4 22.4 22.4 22.4 28 31.5 35.5 45 56 63 56 71 71 63 56 90 90 90		1.25	112	140	180	224	280	355	450	260	710	006
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		1.12	100	140	888	224	280	355	450	200	210	006
$   \begin{array}{c cccccccccccccccccccccccccccccccccc$		2	11.2		74.1	22.4			45			06
φ = φ = 1.25	-	1.6	11.2		18		78		45		17	
φ  11.25  11.4  11.2  11.1  11.8  12.4  22.4  22.4  22.4  22.4  28  31.5  35.5  45  45  71  90  90	П	1.6		14		22.4		35.5		99		-06
		1.4	11.2	7	2	22.4	7:5		45	63	3	06
1.12 10 10 11:2 20:2 20:2 4:2 4:3 5:5 4:4 5:5 5:5 6:6 6:7 6:7 6:7 6:7 6:7 6:7 6:7 6:7 6:7		1.25	11.2	14	18	22.4	28	35.5	45	99	71	06
		1.12	10.25	41.	180	22.4	28 28 3:5	35.5	54.5	26.5	878	88

These ranges can be extended by multiplication by ten or powers of ten.

numbers"\*, and the advantages, particularly for the designer, who has to design speed-change mechanisms for standardized ranges, outweigh the arguments in favour of other types of speed ranges. To-day the geometrical progression using standardized ratios and speed values (and also feed rates) in accordance with preferred numbers is used almost all over the world (Table 1.2).

For the general case of a speed-change device (gear box, head-stock, etc.) of a machine tool, which produces spindle speeds in a range of standardized geometric progression, let  $\varphi$  be the ratio between two adjacent spindle speeds, N the number of different spindle speeds obtainable,  $n_{\max}$  the maximum,  $n_{\min}$  the minimum obtainable spindle speed, and R the range of spindle speeds covered by the speed change device. The following relations are valid:

$$egin{array}{lll} R & = rac{n_{
m max}}{n_{
m min}} \ n_{
m max} & = n_{
m min} \cdot arphi^{N-1} \ R & = arphi^{N-1} \ arphi & = rac{N-1}{\sqrt{R}} \end{array}$$

These relations are shown graphically in Fig. 1.6 for those values of  $\varphi$ , which are standardized in accordance with the series of preferred numbers with the addition of the values  $\varphi=1\cdot 4=\sqrt{2}$  and  $\varphi=2$ . These latter values have been added to allow for speed ranges which can be produced by pole changes of a.c. motors. It is a fortunate coincidence that the requirement of including the value 2 in the standardization of speeds can be combined with that of basing the range of preferred numbers on the decimal system (values of  $\varphi: \sqrt[20]{10} \simeq 1\cdot12; \sqrt[40]{10} \simeq 1\cdot25; \sqrt[5]{10} \simeq 1\cdot6$ ), because  $\sqrt[40]{10} = 1\cdot2589$  and  $\sqrt[3]{2} = 1\cdot2599$ , and for the purpose of the standardization  $\sqrt[40]{10} \simeq \sqrt[3]{2} \simeq 1\cdot25$ .

Such a standardization is valuable not only for the designer of machine tools. It is even more important for the production engineer because it enables him to rely on identical speeds (and feeds) being obtainable on any of the standardized machines at his disposal.

SPEED CHANGE MECHANISMS. An analysis of those generally

<sup>\*</sup> For a short description of this system, see Abbot, W.: The Dimensioning of Engineering Drawings (Blackie, 1953). See also Kienzle, O.: Normungszahlen (Springer, Berlin, 1950).

used in machine-tool drives shows that they consist of a combination of some of the following basic devices (Fig. 1.7):

(a) The Cone Pulley Principle, Fig. 1.7a, applied to belt or chain drives.

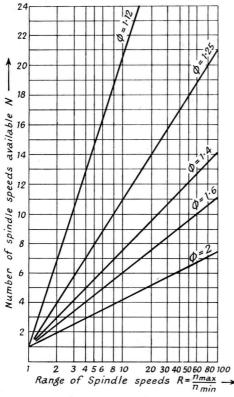


Fig. 1.6

- (b) The Sliding Gear Device, Fig. 1.7b. A block of several (usually two or three) gears can be moved along a keyed or splined shaft into different positions in relation to a second block of gears keyed to a shaft parallel to the first one, each position bringing one particular pair of gears into mesh.
- (c) The Clutch Arrangement, Fig. 1.7c. One of several (usually two) gears may be coupled to a shaft, the other gears running idle on the shaft.
- (d) The Draw Key Drive, Fig. 1.7d. One of a row of gears can be keyed to the shaft by means of a sliding key.
- (e) The "Norton" Gear, Fig. 1.7e. A gear carrier with a pinion and an intermediate gear can slide along a splined

or keyed shaft, the intermediate gear being brought into mesh with a block of gear wheels through a tilting movement of the carrier.

(f) In addition, the slip gear arrangement in which gears are fixed to the shafts in question according to the requirements of transmission ratios may be mentioned. This cannot, however, properly be called a change gear as it involves a relatively lengthy fitting operation and is suitable only where the length of the actual machining process is sufficient to justify the time involved; e.g. for long runs in large quantity production or the cutting of screw threads on a lathe and of helical gears on a universal milling machine.