

Herbert Leitold
Evangelos Markatos (Eds.)

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Communications and Multimedia Security

10th IFIP TC-6 TC-11 International Conference, CMS 2006
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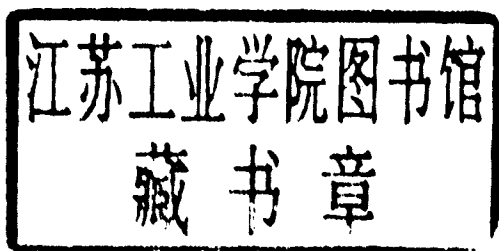


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Preface

During the last few years we see network and information system security playing an increasingly important role in our everyday lives. As our computers continue to get infested by all sorts of malware, and as our networks continue to choke with spam and malicious traffic, we see more and more people losing their confidence in information technologies as they get significantly concerned about their security as well as their privacy and that of their loved ones. In their effort to cope with the problem, scientists, managers, and politicians all over the world have designed and are currently implementing systematic approaches to network and information security, most of which are underlined by the same principle: *there is much more room for improvement and research.*

Along the lines of encouraging and catalyzing research in the area of communications and multimedia security, it is our great pleasure to present the proceedings of the 10th IFIP TC-6 TC-11 Conference on Communications and Multimedia Security (CMS 2006), which was held in Heraklion, Crete on October 19-21, 2006. Continuing the tradition of previous CMS conferences, we sought a balanced program containing presentations on various aspects of secure communication and multimedia systems. Special emphasis was laid on papers with direct practical relevance for the construction of secure communication systems. The selection of the program was a challenging task. In total, we received 76 submissions, from which 22 were selected for presentation as full papers.

We want to thank all contributors to CMS 2006. In particular, we are grateful to the authors and invited speakers for contributing their latest work to this conference, as well as to the PC members and external reviewers for their critical reviews of all submissions. Finally, special thanks go to the Organizing Committee who handled all local organizational issues and provided us with a comfortable location and a terrific social program. For us, it was a distinct pleasure to serve as Program Chairs of CMS 2006. We hope that you will enjoy reading these proceedings and that they will be a catalyst for your future research in the area of communications and multimedia security.

October 2006

Herbert Leitold and Evangelos Markatos
Program Co-chairs
CMS 2006

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CMS 2006 was organized by A-SIT (Zentrum für sichere Informationstechnologie - Austria), FORTH (Foundation for Research and Technology - Hellas), and ENISA (European Network and Information Security Agency).

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Computing of Trust in Ad-Hoc Networks

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Abstract. Although, the notion of trust has been considered as a primitive for establishing relationships among nodes in ad-hoc networks, syntax and metrics of trust are not well defined. This paper studies computing of trust in ad-hoc networks and makes the following three contributions. Firstly, the notion of trust is formalized in terms of predict functions and strategy functions. Namely, the notion of trust in this paper is defined as a predict function that can be further evaluated by a strategy function for a pre-described action; Secondly, structures of trust are formalized as a map between a path in the underlying network graph and the corresponding edge of its transitive closure graph; Thirdly, a generic model for computing of trust in the small world is proposed.

Keywords: Ad-hoc network, Transitive graph, Trust computing.

1 Introduction

Ad-hoc networks formed by a set of dynamic nodes without relying on a preexisting infrastructure have been a very attractive field of academic and industrial research in recent years due to their potential applications and the proliferation of mobile devices. For example, a set of self-organized nodes are selected to accomplish a designated task say, collaboratively computing a multi-variable boolean function $f(x)$ on input x . In this setting, all nodes involved in the computation of $f(x)$ have to access a certain resource to obtain data in order to complete the task. As a result, a node should prove its membership to a self-organized set which is supposed to have access to the resource. If traditional public key infrastructures (PKI) are assumed, then the authentication of membership should be an easy task. However, it is difficult to deploy centralized certification authorities in ad-hoc networks due to the lack of central services.

Trust is considering a primitive for the establishment of relationship in ad-hoc networks. In our opinion, Alice trusts Bob means that Alice predicates that Bob will act on some action honestly in the future. It follows that the notion of trust should be defined as a predict (by \mathcal{PT} , we denote the function of a prediction). For example, a verification of a signature is a predict function; If an output of the predict function is 1, Alice's trust value evaluation strategy (by \mathcal{SG} , we denote a strategy for evaluating trust value) is then performed. The output value is

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called trust degree (or trust value) of Alice to Bob for the pre-specified action. Intuitively, the output of \mathcal{SG} satisfies the following properties:

- one-wayness: for a fixed action \mathcal{A} (by \mathcal{A} , we denote an action chosen from the pre-described action space which is denoted by \mathcal{A}^*), the concept of trust is one-way (or asymmetric) in the sense that N_1 trusts N_2 's action \mathcal{A} does not imply that N_2 trusts N_1 's action \mathcal{A} .
- transitivity: the concept of trust maintains transitivity for a fixed action. That is, if S trusts N_1 's action \mathcal{A} , and N_1 trusts N_2 's action \mathcal{A} , and N_2 trusts T 's action \mathcal{A} , then S trusts T 's action \mathcal{A} . We stress that the action \mathcal{A} specified by the source node S , intermediate nodes and the target node T must be same, otherwise there is no reason to maintain the transitivity.

If we view individual participant in ad-hoc networks as a node of a delegation graph G , then a mapping between a delegation path from the source node S to the target node T in the graph G and an edge in the transitive closure graph G^* of G can be established. We thus study the following fundamental research problems: how to evaluate trustworthiness of participants in an edge of G ? how to compute trustworthiness of a recommendation path of G ? Namely, how to evaluate the trustworthiness of edges in the transitive closure graph G^* of G ?

1.1 Previous Works

The pioneer work for computing of trust is due to Beth, Borcharding and Klein [2] and Yahalom, Klein and Beth [12]. In their seminal papers, models for computing of trust in distributed network are outlined. Although, a collection of genuine ideas were presented, there was no formal definition of trust presented in their papers. Following their seminal contributions, Zhu et al [14] distilled transitivity of trust by means of transitive graph and then applied their results for computing of trust in wireless networks (e.g., [15], [16] and [7]). Although, these are interesting applications of trust in the real world, the notion of trust is not well defined. For example, the term trust (and trust value/degree) defined in their previous papers does not cover the following important issues: the formalization of the notion of action (and action space), and the notion of trust; and the longer size of a recommendation path, the less trust value along a path; We stress that these issues are inherent properties of the notion of trust, and thus must be satisfied. As a result, any more satisfactory solution for computing of trust is certainly welcome.

1.2 This Work

The contributions of the paper are three-fold. In the first fold, the notion of trust is formalized in terms of predict functions and strategy functions. Namely, the notion of trust is defined as a predict that can be further evaluated by a strategy function for a pre-described action if a predict outputs 1; In the second fold, the structures of trust is formalized as a mapping between a path in a network graph G and an edge of the transitive closure graph G^* of G . In the third fold, a generic model for computing of trust in the small world phenomena is proposed.

The remainder work of this paper is organized as follows: In Section 2, syntax, structure of trust are introduced and formalized. In Section 3, a framework for computing of trust in ad-hoc works is proposed and analyzed. We propose an example for computing of trust in the small world phenomena in Section 4, and conclude our work in Section 5.

2 Trust: Syntax, Characteristics and Structures

2.1 Definition of Trust

Tons of definitions regarding trust have been presented in the literature. The commonly cited definition of trust is due to Golbeck[4]: Alice trusts Bob if she commits to an action \mathcal{A} based on a belief that Bob's future actions will lead to a good outcome. We stress that Golbeck's definition does not capture the prediction of trust. That is, the notion of trust should be defined binary values: trust (a predict \mathcal{PT} outputs 1) or distrust (a predict \mathcal{PT} outputs 0). In case of trust (or distrust), we can talk about the degree of trust (or distrust). Since the notion of trust and the notion of distrust are complementary concepts, it is enough for us to define the concept of trust.

We also stress that an action \mathcal{A} should be sampled by any probabilistic polynomial time (PPT) Turing machine on input of a system parameter k . That is, on input of a system parameter k , the PPT Turing machine will specify an action space (\mathcal{A}^*) such that on input of an index $i \in I$, an action $\mathcal{A}_i \in \mathcal{A}^*$ is selected.

Given an action $\mathcal{A} \in \mathcal{A}^*$, Alice runs a predict function \mathcal{PT} which outputs 0 or 1. Once $\mathcal{PT}(\mathcal{A})=1$, Alice can preform her strategy function \mathcal{SG} to obtain a trust value with the help of her auxiliary information aux (intuitively, the auxiliary information aux is a cumulative history record of Bob maintained by Alice herself).

Thus, to formalize the notion of trust, we first need to provide a formal definition of an action. Let \mathcal{A} be a disjunction $c_1 \vee \dots \vee c_m$ of clauses, where each clause c_i is a conjunction $l_1 \wedge \dots \wedge l_{t_i}$ of t_i literals. Each literal l_j is either a Boolean variable X_i or its negation \bar{X}_i . Without loss of generality, we may assume that each variable occurs at once in any given clause.

Definition 1. *An action \mathcal{A} is a disjunctive normal form over k Boolean variables X_1, \dots, X_k . The set of all actions is call action space which is denoted by \mathcal{A}^* .*

To define the trust value of an action, we need to make the following assumptions:

- the underlying network is an unknown fixed-identity graph G , where each node has a unique identity N_i which cannot be forged. And each node knows the identities of its neighbors in G . Such an assumption is necessary since if a node forges its node id, then it is impossible for one to distinguish a forged id from a genuine id (as there is no public key infrastructure assumption involved in our model);

- a keyed-identity of node N_i is of form $k_i := (N_i, g(N_i))$ where $g(N_i)$ is a claimed public key of the node N_i .

Definition 2. Let k_A and k_B (for convenience, we sometime will write k_A simply as A) be two nodes in a graph G . An auxiliary information $aux^A(B) \in \{0, 1\}^{poly(\lambda)}$ is a string that cumulatively records the state of B by A .

Definition 3. An auxiliary information is called samplable if there is a deterministic polynomial time algorithm \mathcal{I} such that on input λ , k_A and k_B , it outputs $aux^A(B) \in \{0, 1\}^{poly(\lambda)}$. By \mathcal{I}^* , we denote operators set \mathcal{I} .

Definition 4. On input k_A and k_B , an action $A \in \mathcal{A}^*$, and auxiliary information $aux^A(B)$, a deterministic predict function \mathcal{PT} outputs a bit $b \in \{0, 1\}$. Once \mathcal{PT} outputs 1, \mathcal{PT} then runs a trust evaluation strategy algorithm \mathcal{SG} which outputs a positive value $\alpha \in \{0, 1\}$. This value α is called a trust value of k_A regarding the action A associated with k_B .

2.2 Trust Structures

Definition 5. A graph $G = (V, E)$ has a finite set V of vertices and a finite set $E \subseteq V \times V$ of edges. The transitive closure $G^* = (V^*, E^*)$ of a graph $G = (V, E)$ is defined to have $V^* = V$ and to have an edge (u, v) in E^* if and only if there is a path from u to v in G .

Based on the above assumptions, we can now define the structure of trust. For a given path $S \rightarrow N_1 \rightarrow \dots \rightarrow N_k \rightarrow T$, we define the trust values of individual edges $S \rightarrow N_1$, $N_1 \rightarrow N_2$, \dots and $N_k \rightarrow T$. And we then compute the edge $S \rightarrow T$ in the transitive closure graph G^* . As a result, two types of trust structures can be defined: a direct trust and a recommended trust. Intuitively, a direct trust is an edge between two nodes in a graph G while recommended trust is an edge defined in its corresponding transitive closure graph G^* . As a result, the notion of recommended trust can be viewed as a natural extension of the notion of the direct trust (if the number of intermediate nodes in a path is zero). Generally, for any path of length k defined over G , a recommended trust RT is defined of the following form: $\Pi_{i=1}^k DT_i$, where DT_i is a direct trust of N_i to N_{i+1} .

3 Computing of Trust

3.1 Computing of Direct Trust Values

Let $dtv^A(B)$ be a direct trust value assigned to B by A ; The range of $dtv^A(B)$ is $[0, 1]$. If the trust value $dtv^A(B)$ is 0, it means that A does not trust B at all; if $dtv^A(B) = 1$, it means that A trusts B completely; if $dtv^A(B) = \alpha$, it means that A trusts B with degree α , where $\alpha \in (0, 1)$. Computing of direct trust value $dtv^A(B)$ can be performed as follows:

- Input $\Theta := (k_A, k_B, aux^A(B), \mathcal{A})$, where k_A (resp. k_B) is a key-identity of node A (resp. B) and $aux^A(B)$ is auxiliary information regarding the node B maintained by the node A ;

- Computing $u \leftarrow \mathcal{PT}(\Theta)$;
 - if $u=0$, then $v \leftarrow 0$;
 - if $u=1$, then $v \leftarrow \mathcal{SG}(\Theta|u=1)$
- Output $dtv^A(B) \leftarrow v$.

We stress that the above computation of the direct trust value captures two things. The first one is the notion of predict. This means that A either trusts B or distrusts B . The second one is the computation of direct trust value under the condition that A trusts B .

3.2 Computing of Recommended Trust Values over Bounded-Disjoint-Paths

Suppose p_1, \dots, p_k be k paths connected between S and T . These paths are referred to as delegation paths. Let $N^i = \{N_1^i, \dots, N_{l_i}^i\}$ be a set of intermediate recommenders (not including S and T) in the path p_i .

Definition 6. *Two paths from S to T , say $S \rightarrow N_1^i \rightarrow \dots \rightarrow N_{l_i}^i \rightarrow T$ and $S \rightarrow N_1^j \rightarrow \dots \rightarrow N_{l_j}^j \rightarrow T$ are disjoint if $N_a^i \neq N_b^j$, for all $a, 1 \leq a \leq l_i$ and all $b, 1 \leq b \leq l_j$.*

Definition 7. *Suppose p_1, \dots, p_k be k paths connected between S and T , p_1, \dots, p_k are called mutually disjoint if paths are pair-wise disjoint.*

Definition 8. *A path p is ρ -bounded if its length is at most ρ .*

Given a directed graph G (we distinguish the node S and the node T) and a path bound ρ , we are interested in finding the maximum set of mutually disjoint ρ -bounded paths from S to T – an interesting research problem first introduced and formalized by Reiter and Stubblebine in [9], where the Bounded-Disjoint-Paths (BDP) problem is shown to be difficult if $P \neq NP$. As a result, there is no polynomial approximation algorithm APP for BDP such that $BDP((G, \rho, S, T)) - APP(G, \rho, S, T) \leq C$ for a fixed constant C . This means that it is hard for one to find almost bounded disjoint paths in the graph G . Thus, for computing of trust in ad-hoc networks, we only consider a set of incomplete Bounded-Disjoint-Paths. As a result, to define the trust value for a set of bounded disjoint paths (say, p_1, \dots, p_k), we need to consider the following two cases:

- Case 1: given a path $p = \{N_1, \dots, N_l\}$ (excluding the source node S and the target node T), how to define the trust value associated with the path p ?
- Case 2: given a collection of paths (say, p_1, \dots, p_k), how to define the trust value associated with the paths?

To compute trust value in Case 1, we first informally define the recommended trust value of S to T by the following formula for a given path $p = \{S, N_1, \dots, N_l, T\}$:

$$rtv^S(T, p) = dtv^S(N_1) \diamond dtv^{N_1}(N_2) \diamond \dots \diamond dtv^{N_{l-1}}(N_l) \diamond dtv^{N_l}(T)$$

We stress that the direct trust value $dtv^{N_i-1}(N_i)$ has been defined in the last section. The remaining question is thus to define the exact meaning of the operator \diamond . Intuitively, a larger size l implies that the smaller recommended trust values $rtv^S(T)$. Furthermore, if there is a faulty node that provides a fault recommendation, the resulting recommended trust value should be low. Consequently, the operator \diamond can be defined in a simple way: $x \diamond y = \min\{x, y\}$.

To compute the trust value in Case 2, we first introduce the following notations. By $\min\{a_{i,1}, a_{i,2}, \dots, a_{i,l_i}\}$, we denote the recommended trust value of p_i , i.e. $rtv^X(Y, p_i) = \min\{a_{i,1}, a_{i,2}, \dots, a_{i,l_i}\}$. By $\max_{i=1}^t rtv^X(Y, p_i)$, we denote the recommended trust value computed from the path set $\{p_1, \dots, p_t\}$. The recommended trust value computed from $\{p_1, \dots, p_t\}$ is defined below

$$rtv^X(Y, p_1, \dots, p_t) = \max_{i=1}^t \min_{j=1}^{l_i} \{a_{i,j}\}$$

We stress that the recommended trust value defined above captures the intuition of the trust value:

- if there is $dtv^{N_i-1}(N_i)=0$, then $rtv^S(T)=0$; This means that if there is a fault node in a given path, the recommendation path should not be trusted at all.
- if $p'=p \cup \{N_{k+1}\}$, then $rtv^S(T, p') \leq rtv^S(T, p)$, where $p=\{N_1, \dots, N_k\}$; This means that the longer the size of a recommendation path, the less trust value should be computed from individual recommenders along the path;
- if $rtv^S(T, p)$ is a positive and $dtv^{N_k}(N_{k+1})$ is positive, then $rtv^S(T, p')$ is positive, where $p=\{N_1, \dots, N_k\}$ and $p'=p \cup \{N_{k+1}\}$; The means that the definition of the trust value of recommendation is transitive.

3.3 Minmax Principle for Trust Metrics

We will show that the principle for computing of trust proposed above satisfies Yao's Minimax theorem[11]. As a result, the expected running time of the optimal deterministic algorithm for an arbitrary chosen input distribution is a lower bound on the expected running time of the optimal randomized algorithm for trust evaluation. This is the most significant feature of our metrics.

Let Π be a problem with a finite set Θ of input instances of fixed size $(k_A, k_B, aux^A(B) \mathcal{A})$, and a finite set of deterministic algorithms $\Gamma=(\mathcal{PT}, \mathcal{SG})$. For an input $inp \in \Theta$, and algorithm $alg \in \Gamma$, let $T(\Theta, alg)$ be the running time of an algorithm alg on an input inp . For probability distribution ι over Θ , and τ over Γ . Let inp_ι denote a random input chosen according to ι and alg_τ denote a random algorithm chosen according to τ . Then by Yao's Minimax theorem[11], we have the following statement

$$\min_{alg \in \Gamma} E[T(inp_\iota, alg)] \leq \max_{inp \in \Theta} E[T(inp, alg_\tau)]$$

In other words, the expected running time of the optimal deterministic algorithm for an arbitrary chosen input distribution ι is a lower bound on the expected running time of the optimal randomized algorithm for τ .

Remarks. We remark that in case of two paths with the same trust value, say $0.9 \diamond 0.9 \diamond 0.3 = 0.4 \diamond 0.3 \diamond 0.3 = 0.3$, we will simply compute the mean of direct trust values in the path and then choose the path with the highest value (if the values are still same for different paths, then we can choose path according to the history record of nodes in the path). We stress that an alternative to avoid this problem is to use the product operator that is restricted to the interval $[0,1]$ (see [1] and [6] for more details). Although the product operator has all required properties claimed above, we do not know whether the product operator satisfies Yao's Minimax theorem[11] or not. This leaves an interesting research problem.

4 Computing of Trust in the Small World

The concept of small world in the context of wireless networks first studied by Helmy [5] enables a path-finder to search paths originated from a source node to a designated target node in wireless networks efficiently. Based on this observation, we provide a practical approach to compute trust in wireless networks by viewing individual mobile device as a node of a delegation graph G and mapping a delegation path from the source node S to the target node T into an edge in the correspondent transitive closure of the graph G , from which a trust value is computed.

4.1 Path-Finder

Since wireless networks typically can be formalized as a small world [5], we thus use the technique presented in [15] for our path-finder. That is, we run an initiator of a route discovery process to generate a route request, which contains the identifiers of the initiator and the target, and a randomly generated query identifier. Each intermediate node that receives the request for the first time appends its identifier to the route accumulated so far, and re-broadcasts the request. When the request arrives to the target, it generates a route reply. The route reply contains the identifiers of the initiator and the target, the accumulated route obtained from the request, and a digital signature of the target on these elements. The reply is sent back to the initiator on the reverse route found in the request. Each intermediate node that receives the reply verifies that its identifier is in the route carried by the reply, and that the preceding and following identifiers on the route belong to neighboring nodes. If these verifications fail, then the reply is dropped. Otherwise, it is signed by the intermediate node, and passed to the next node on the route (towards the initiator). When the initiator receives the route reply, it verifies if the first identifier in the route carried by the reply belongs to a neighbor. If so, then it verifies all the signatures in the reply. If all these verifications are successful, then the initiator accepts the route.

4.2 Transitive Graph and Transitive Signature in PKI Setting

Notion. Given an undirected graph G , two vertices u and v are called connected if there exists a path from u to v ; Otherwise they are called disconnected. The

graph G is called connected graph if every pair of vertices in the graph is connected. A vertex cut for two vertices u and v is a set of vertices whose removal from the graph disconnects u and v . A vertex cut for the whole graph is a set of vertices whose removal renders the graph disconnected. The vertex connectivity $k(G)$ for a graph G is the size of minimum vertex cut. A graph is called k vertex connected if its vertex connectivity is k or greater.

Syntax of Transitive Signatures. A probabilistic polynomial time undirected transitive signature scheme TS is specified by four polynomial-time algorithms TKG , $TSig$, $TVer$ and $Comp$ [13]:

- The randomized key generation algorithm TKG takes input 1^k , where $k \in N$ is the security parameter, and returns a pair (tpk, tsk) consisting of public key and security key of a transitive signature scheme.
- The signing algorithm $TSig$ consists of a pair of separate algorithms: a vertex/node signing algorithm $VSig$ and a edge signing algorithm $ESig$. $VSig$ is a stateful or randomized algorithm that takes input of the security key tsk and a node v_i and returns a value called certificate of node v_i which is denoted by $Cert_{v_i}$. $ESig$ is a deterministic algorithm that takes input of the security key tsk and two different nodes $v_i, v_j \in V$, and returns a value called certificate of edge $\{v_i, v_j\}$ relative to tsk . $TSig$ maintains states which it updates upon each invocation.
- The deterministic verification algorithm $TVer$ consists of a pair of separate algorithms $(VVer, EVer)$. $VVer$ is the deterministic vertex/node certificate verification algorithm that takes input of tpk and a certificate $Cert_{v_i}$ of vertex v_i , returns either 1 or 0. $EVer$ is the deterministic algorithm that takes input of tpk and two nodes $v_i, v_j \in V$, and a certificate σ of edge $\{v_i, v_j\}$, returns either 1 or 0 (in the former case we say that σ is a valid signature of edge $\{v_i, v_j\}$ relative to tpk).
- The deterministic composition algorithm $Comp$ takes input of tpk and nodes $v_i, v_j, v_k \in V$ and values σ_1, σ_2 to return either a value of σ or a symbol *null* indicate failure.

The Definition of Security. Associated to transitive signature scheme $(TKG, TSig, TVer, Comp)$, adversary Adv and security parameter $k \in N$, is an experiment which is denoted by $Exp_{TS, Adv}^{tu-cma}(k)$ that returns 1 if and only if Adv is successful in its attack. The experiment begins by running TKG on input 1^k to get keys (tpk, tsk) . It then runs Adv , and providing this adversary with input tpk and oracles access to the functions $ESig(tsk, \cdot)$ and $VSig(tsk, \cdot)$. The oracles are assumed to maintain state or toss coins as needed. Eventually, Adv will output $(v_i, v_j) \in V \times V$ and some value τ' . Let E be the set of all edges $\{v_a, v_b\}$ such that Adv made oracle queries v_a, v_b , and let V be the set of all nodes v_a such that v_a is adjacent to some edge in E . We say that Adv wins if τ' is a valid signature of $\{v_i, v_j\}$ relative to tpk but the edge is not $\{v_i, v_j\}$ in the transitive closure G of a graph $G = (V, E)$. The experiment returns 1 if Adv wins and 0 otherwise. The advantage of adversary in its attack on TS is the function $Adv_{TS, Adv}^{tu-cma}(\cdot)$ defined for k by