陈喜群 李カ 史其信 著 Xiqun (Michael) Chen・Li Li・Qixin Shi

动态交通流的随机演化 建模与应用

Stochastic Evolutions of Dynamic Traffic Flow

Modeling and Applications







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内容简介

随机交通流模型是智能交通系统、交通工程设计、交通管理与控制等领域的应用基础,对丰富现代交通流理论体系具有重要意义。道路交通流具有复杂性、动态性和随机性特征,新一代智能交通系统对交通流理论提出更高要求。本书应用多元异构数据,建立基于车辆轨迹信息的随机交通流模型,揭示交通流复杂动态性和随机演化性的内在机理。本书主要研究内容和成果表现在数据挖掘、微观关联、宏观关联、匝道瓶颈建模等方面。

本书适合交通流和交通大数据领域的相关研究人员和学生参考。

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To Dandan, Cynthia, Yuexin and Shuhuai The families of Xiqun (Michael) Chen

Preface

Road traffic flow is intrinsic with stochastic and dynamic characteristics so that traditional deterministic theory no longer satisfies requirements of the evolution analysis. Stochastic traffic flow modeling aims to study relationships of transportation components. The kernel is an investigation of both stochastic characteristics and traffic congestion evolution mechanism using headway, spacing, and velocity distributions. The primary contents include empirical observations, connections with microscopic and macroscopic traffic flow models, and traffic breakdown analysis of highway bottlenecks.

The book first analyzes characteristics of empirical traffic flow measurements to reveal the underlying mechanism of complexity and stochastic evolutions. By using *Eulerian* measurements (e.g., inductive loop data) and *Lagrangian* measurements (e.g., vehicular trajectory data), we study headway-spacing-velocity distributions quantitatively and qualitatively. Meanwhile, disturbances of congested platoons (jam queues) and time-frequency properties of oscillations, which establish the empirical foundation for stochastic traffic flow modeling.

Then we establish a Markov car-following model by incorporating the connection between headway-spacing-velocity distributions and microscopic car-following models using the transition probability matrix to describe random choices of headways/spacings by drivers. Results show that the stochastic model more veritably reflects the dynamic evolution characteristics of traffic flow. As discussions of the connection between headway-spacing-velocity distributions and the macroscopic fundamental diagram model, we analyze the probability densities and probabilistic boundaries of congested flow in flow-density plot by proposing a stochastic extension of Newell's simplified model to study wide scattering features of flow-density points.

For applications to highway on-ramp bottlenecks, a traffic flow breakdown probability model is proposed based on headway/spacing distributions. We reveal the mechanism of transitions from disturbances to traffic congestion, and the phase diagram analysis based on a spatial-temporal queueing model that is beneficial to obtain optimal control strategies to improve the reliability of road traffic flow.

viii Preface

We would like to acknowledge the following people for their contributions in bringing this book to completion. We are grateful to Prof. Meng Li and Prof. Zhiheng Li for their sustaining guidance and encouragement. They share perspectives on dynamic transportation planning and traffic control approaches for the analysis of stochastic traffic phenomena. It has been a privilege for us to work with them. Thanks to Profs. Huapu Lu, Jing Shi, Xinmiao Yang, and Ruimin Li, who provided a number of valuable comments and suggestions that substantially improved this book.

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May 2014

Xiqun (Michael) Chen Li Li Qixin Shi

Acronyms

Mathematical Symbols

| a, b | Scale and translation parameters of Wavelet Transform |
|--|--|
| $a_{\max}, \ v_{\max}$ | Maximal acceleration and maximal speed |
| $a_n(t)$ | Acceleration of the nth vehicle at time t |
| A | Perturbation matrix |
| $\{A_i, i \in \mathbb{N}^+\}$ | Mutually exclusive events |
| b_i | Deceleration of the following vehicle |
| c_0 | Substitution of speed |
| C_h | Coefficient of variation |
| $\mathcal{C},\mathcal{C}',\hat{\mathcal{C}}$ | Copula, its density function and empirical copula |
| d_i | Spacing of full stop |
| $E(\cdot)$ | Average wavelet energy |
| $E[\cdot], Var[\cdot], \sqrt{S^2[\cdot]}$ | Expectation, variance and standard deviation operators |
| $f(h \alpha,\beta,h_0)$ | PDF of Gamma distribution |
| $f(h \lambda)$ | PDF of negative exponential distribution |
| $f(h \lambda, h_0)$ | PDF of shifted exponential distribution |
| $f(h \mu_h,\sigma_h,h_0)$ | PDF of lognormal distribution |
| F , F_1 , F_2 | CDF |
| $F(h \alpha,\beta,h_0)$ | CDF of Gamma distribution |
| $F(h \lambda)$ | CDF of negative exponential distribution |
| $F(h \lambda, h_0)$ | CDF of shifted exponential distribution |
| $F(h \mu_h,\sigma_h,h_0)$ | CDF of lognormal distribution |
| $\hat{F}, \hat{F}_1, \hat{F}_2$ | Empirical CDF |
| $F_c(q_S)$ | CDF of upstream flow q_S , $1 - F_c(q_S)$ is lifetime function |
| $\widehat{F}_c(q_S)$ | PLM estimation |
| | |

 $F_{H|v}$, $F_{S|v}$ Conditional distribution of headway/spacing with respect to v

 $F_{H,\alpha|\nu}^{-1}$ α quantile of headway distribution

 \bar{h} Average headway

 h_0 , \hat{h}_0 Shift coefficient and its estimate

 $h_{0,p}, h_{0,q}$ Shift coefficients of car-following state and free flow state

 h_{free} Critical headway of free flow

 h_i Observation samples of headway, i = 1, 2, ..., n

 $h_k(t)$ Headway

h_{min} Minimal headway

 h_{random} Random headway from uniform distribution $\mathcal{U}(H_i^-, H_i^+)$

 \tilde{h}, \tilde{v} Mean headway and speed of $\tilde{\Upsilon}$

 $\tilde{h}_{n,n-1}$, \tilde{v}_n Mathematical expectations of headway and speed

 $H(\cdot)$ Heaviside function

 H_i^-, H_i^+ Upper and lower limits of the *i*th headway state

 H_n Summation of headway

 $H_n^{(1)}, H_n^{(2)}$ Disturbance propagation time to the *n*th vehicle in

ac/deceleration waves

 $i = \sqrt{-1}$ Imaginary unit \mathcal{J} Population

 \mathcal{J}_{ii} Sample size of that $h_k(t)$ belongs to state i

and $h_k(t + \Delta t)$ belongs to state j

 \mathcal{J}_k Number of triple, analogically, \mathcal{J}_k^* , \mathcal{J}_k^- , \mathcal{J}_k^+ , \mathcal{J}_k^Δ Weight coefficients of density and speed gradients

L Circular road length $L_{\rm cong}$ Jam queue length $L_{\rm free}$ Free flow traffic length $L_{q_S}, L_{\rho,\nu}$ Likelihood function L Lagrangian function

N, M Finite dimensional state space,

satisfying $\mathbb{N} = \{1, 2, ..., n\}, \mathbb{M} = \{1, 2, ..., m\}$

 \mathbb{N}^+ The set of positive integers

 \mathcal{N} , Log $-\mathcal{N}$ Normal and lognormal distributions

 $o(\cdot)$ Infinitesimal of higher order

p(h) PDF of car-following state headway

 $p^*(\lambda)$ Laplace transform of p(h) Slow-to-start probability \hat{p}_k , \hat{p} Probability estimate

 P_B Traffic flow breakdown probability $\tilde{P}_0(v)$ Distribution of speed expectation

| 57 I A | Caral disadinata |
|--|--|
| $\tilde{P}(v x,t)$ | Speed distribution |
| P_1, P_2 | Pressure terms, satisfying $\partial_{\rho}P_1 \leqslant 0$ and $\partial_{\nu}P_2 \leqslant 0$ |
| $P_{\rm GUE}$ | Gaussian unitary ensemble, GUE |
| P _{Poisson} | Poisson distribution |
| P | Transition probability matrix, satisfying $P = (P_{ij})$ |
| $P_l, _{\pi_l}$ | Transition probability matrix and stationary |
| 200 | distribution of headway in the lth velocity range |
| $\mathcal{P}(n, t)$ | Probability of a jam queue with n vehicles at time t |
| $\mathcal{P}_{(z,t)}$ | Probability of being state z at time t |
| $\mathcal{P}_{\mathcal{S}}(t)$ | Probability of being state S at time t |
| q(h) | PDF of headway in free flow state |
| $q_e(\rho), \ \upsilon_e(\rho)$ | Equilibrium functions of flow and speed |
| $q_{\mathrm{lower}}, q_{\mathrm{upper}}$ | Maximal and minimal traffic flow rates, |
| | analogically, ρ_{lower} , ρ_{upper} |
| $q_{\mathrm{main}}, q_{\mathrm{ramp}}$ | Mainline flow and ramp flow |
| $q_{ m max}$ | Maximal flow rate |
| $ar{q}_S$ | Breakdown traffic flow rate |
| r | Iteration times |
| R | Least squares residual |
| \mathcal{R} | Response function |
| $s^{A}(\upsilon), s^{D}(\upsilon)$ | Spacings of ac/deceleration curves at speed v |
| Sbefore, Safter | Spacings when joining and departing from jam queues |
| Sbreak, Sfree | Spacing thresholds of braking and free flow states |
| S_{cong} | Spacing in a jam queue |
| Sstart, Sstop | Spacing thresholds of starting and stopping states |
| $S_{i}(t)$ | Spacing |
| S_{\min} , S_{\max} | Minimal and maximal critical spacings |
| $s_{n,n-1}, h_{n,n-1}$ | Headway and spacing of the nth vehicle |
| $s_{ m stop}^{ m A},\ s_{ m stop}^{ m D}$ | Fully stopping spacings of ac/deceleration curves |
| $s_{\rm upper}^{\rm A}, s_{\rm upper}^{\rm D}$ | Maximal and minimal spacings corresponding |
| upper upper | to the maximal speed \tilde{v}^+ in metastable traffic |
| | flow, analogically, s_{lower}^A , s_{lower}^D |
| \mathbb{S}_k | |
| S | Sample set, analogically, \mathbb{S}_k^* , \mathbb{S}_k^- , \mathbb{S}_k^+ , \mathbb{S}_k^Δ |
| S^{A}, S^{D} | Arbitrary discrete state of traffic flow Probabilistic boundaries of microscopic fundamental |
| 5, 5 | 3527 |
| ¥ | diagram Time |
| (k) (k) | Acceleration point of the <i>i</i> th vehicle, |
| $(t_{a,i}^{(k)}, x_{a,i}^{(k)})$ | The state of the s |
| | analogically, $(t_{d,i}^{(k)}, x_{d,i}^{(k)})$ |
| T | Entering time interval of ramping vehicles |
| \bar{T} | Average travel time |

| $\sigma = \sigma +$ | Tour France |
|--|---|
| $\mathcal{T},~\mathcal{T}^-,~\mathcal{T}^+ \ \mathcal{T}^*,~ar{\mathcal{T}}^*$ | Tau factor |
| T^+ , T^- | Tau factor Related statistics |
| $\hat{\mathcal{T}}_k^-,~\hat{\mathcal{T}}_k^+,~\hat{\mathcal{T}}_k^\pm$ | Estimate of Tau factor |
| υ, μ | Velocity |
| $\upsilon(x, t)$ | Mean velocity at location x and time t |
| $v_{ m cong}, v_{ m free}$ | Congestion wave speed and free flow speed |
| $\upsilon_n(t)$ | Speed of the <i>n</i> th vehicle at time <i>t</i> |
| $v_{n,\mathrm{safe}}$ | Lower bound of safety speed |
| $ u_{\mathrm{opt}}(x_n(t)) $ | Optimal speed function |
| $\upsilon + c_{\pm}$ | Characteristic speed |
| $\bar{\upsilon}(x,t)$ | Expected speed |
| $\tilde{\upsilon},\; \tilde{ ho}$ | Perturbation amplitudes of speed and density |
| W | Congestion wave speed, analogically, w_i , $-w_i$, $-W_n$ |
| w(t-k) | Window function |
| w^{A}, w^{D} | Ac/deceleration congestion wave speeds |
| \mathcal{W} | Weibull |
| x | Location |
| $x_n(t)$ | Location of the <i>n</i> th vehicle at time <i>t</i> |
| $	ilde{X} = (ilde{ ho}, 	ilde{v})^T$ | Column vector of perturbation amplitude |
| $(x, v) \mapsto (y, u)$ | Transition rate from state (x, v) to state (y, u) |
| 31 | of traffic flow |
| z, z' | Arbitrary continuous traffic flow states |
| (Z_1, Z_2) | Bivariate random variables |
| $(Z_1^{(i)},\ Z_2^{(i)})$ | Observations of bivariate random variables, $i \in \mathbb{N}$ |
| $\{z_t\}$ | Traffic flow discrete time series data, $t = 0, 1,, T - 1$ |
| Z_n | Summation of random variables |
| $Z_{n, \text{typical}}$ | Extreme points of PDF of Z_n |
| α, β | Parameters of Weibull distribution |
| \hat{lpha},\hat{eta} | Parameter estimations of Weibull distribution |
| $\gamma_i^S, \gamma_i^B, \gamma_i^E$ | Net spacings before, within and after the deceleration of the |
| | ith vehicle |
| Γ | Gamma function |
| $\delta v, \delta \rho$ | Speed and density variations |
| Δ | Field data measurement interval |
| Δt | Update time step |
| Δv_n , Δx_n | Speed and location differences between the n th and the $n-1$ |
| 7 | the vehicles |
| $\epsilon(x,t)$ | Noise function at location x and time t |
| $\eta(\rho, v)$ | Inertial coefficient of driving behaviors |
| $\eta_{\mathrm{lower}}, \eta_{\mathrm{upper}}$ | $\alpha/2$ and $(1 - \alpha/2)$ percentiles of |
| | standard normal distribution |

| 0 0 | C. b. tit. ti |
|--|---|
| θ_1, θ_2 | Substitution parameters |
| $\theta_{\rm OCT}, \; \theta_{\rm HCT}$ | Dimensionless critical coefficients |
| θ | Indicator function, analogically, $1(\cdot) \mapsto \{0, 1\}$ |
| $\Theta(x,t)$ | States and parameter vector at location x and time t |
| $\vartheta_i^-, \vartheta_i^+$ | Upper and lower bounds of the <i>i</i> th vehicle headway |
| K, \tilde{K} | First vehicle delay after perturbations |
| $\lambda, \tilde{\lambda}$ | Parameters and their estimations |
| $\lambda_p, \ \lambda_q$ | Parameters of car-following and free flow states |
| μ, σ | Lognormal distribution parameters, analogically, |
| | headway (μ_h, σ_h) , spacing (μ_s, σ_s) , reaction |
| | time $(\mu_{\tau}, \sigma_{\tau})$, bivariate lognormal |
| | distribution $(\mu_{z_1 z_2}, \sigma_{z_1 z_2})$ |
| $\hat{\mu},\hat{\sigma}$ | Lognormal distribution parameter estimation |
| ξ, ζ | Random variable |
| $\xi(\rho, \nu)$ | Anticipation coefficient of driving behavior |
| $\rho(x,t)$ | Average density at location x and time t |
| ρ_0 | Steady state density, initial density |
| ρ_z | Correlation coefficient |
| $\tilde{\rho}(x,t,v)$ | Phase space density |
| $\zeta, \bar{\zeta}$ | Vehicle gap and average vehicle gap |
| τ | Latency time, relaxation time and reaction time |
| $	au_{ m in}, 	au_{ m out}$ | Interarrival time and service time, |
| | analogically, $	au_{	ext{in,i}}$, $	au_{	ext{in}}^{(k)}$, $	ilde{	au}_{	ext{out}}$, $	ilde{	au}_{	ext{out}}$ |
| $	au_{ m in}(m)$ | Interarrival time summation of m vehicle |
| $\tau_i^{\text{A}}, \ \tau_i^{\text{D}}$ | Reaction time of ac/deceleration |
| $(\tau^{A}, w^{A} s_{\text{stop}}^{A})$ | Characteristic parameters of acceleration curve, |
| (t, r stop) | analogically, $(\tau^{\rm D}, \ w^{\rm D} \ s_{\rm stop}^{\rm D})$ |
| ~ ~ | |
| $\tilde{\gamma}, \gamma_k$ | Inhomogeneous platoon and homogeneous sub-platoon |
| $\phi_1, \phi_2, \varphi_1, \varphi_2$ | Substitution parameters Standard normal distribution |
| $\Phi(\cdot)$ | |
| φ | Proportionality coefficient Dimensionless critical coefficient |
| $\varphi_{FF}, \; \varphi_{PLC}$ | |
| $\psi(t), \ \psi(f)$ | Mother wavelet function and its Fourier |
| | transform, the conjugate function is $\psi^*(f)$ |
| ω | Digital frequency |
| $\omega(k), k \in \mathbb{N}^+$ | Angular frequency |
| $\omega_{zz'}$ | Transition rate from state z to z' |
| $\omega_+(n), \ \omega(n)$ | Transition rate of jam queue length |
| | from $(n \mapsto n+1)$ and $(n \mapsto n-1)$ |
| ω_{\pm} | Complex solution of ω |
| $\omega_{\mathcal{SS}'}$ | Transition rate from state S to S' |
| | |

 Ω Analog frequency $\ell(\cdot)$ Likelihood function

 \Re , \Im Real part and imaginary part

Ø Empty set

Abbreviations

ACTM Asymmetric Cell Transmission Model

A-curve Acceleration Curve CA Cellular Automaton

CCTM Compositional Cell Transmission Model

CDF Cumulative Distribution Function

CTM Cell Transmission Model
CWT Continuous Wavelet Transform

D-curve Deceleration Curve

DFT Discrete Fourier Transform
DTA Dynamic Traffic Assignment
DWT Discrete Wavelet Transform
EKF Extended Kalman Filter
ELCTM Enhanced Lagged CTM

EM Error Mean

FD Fundamental Diagram

FF Free Flow

FHWA Federal Highway Administration

FT Fourier Transform
G/D/1 General Determinant 1
G/G/1 General General 1

GKT Gas-Kinetic-based Traffic Model GUE Gaussian Unitary Ensemble HCT Homogeneous Congested Traffic

i.i.d. Independent and Identically DistributedIDM Intelligent Driver Model

ITS Intelligent Transportation System K–S Kolmogorov–Smirnov Test LCTM Lagged Cell Transmission Model

LPO Log Periodic Oscillations LSCTM Location Specific CTM LSR Least Squares Regression

MCTM Modified Cell Transmission Model

MLC Moving Local Cluster

NGSIM Next Generation Simulation

OCT Oscillated Congested Traffic

OVM Optimal Velocity Model

| PA | Perturbation | Anal | veic |
|----|--------------|-------|-------|
| LA | rentundation | Allal | A 212 |

PDF Probability Density Function

PeMS Performance Measurement System

PLC Pinned Local Cluster
PLM Product Limit Method
RMSE Root-Mean-Square Error
RMT Random Matrix Theory

SCTM Stochastic Cell Transmission Model

SSM State Switching Model

STFT Short-Term Fourier Transform

TF-BP Traffic Flow Breakdown Probability

TSG/SGW Triggered Stop-and-Go Waves

WSS Second-order Wide-sense Stationary Process

WT Wavelet Transform

Contents

| 1 | Intr | oduction | 1 |
|---|------|--|----|
| | 1.1 | Motivation | 1 |
| | 1.2 | Objectives | 3 |
| | 1.3 | Contributions | 3 |
| | 1.4 | Organization | 5 |
| 2 | Lite | rature Review | 9 |
| | 2.1 | Introduction | 9 |
| | 2.2 | Historical Development of Traffic Flow Theory | 9 |
| | | 2.2.1 Macroscopic Modeling | 9 |
| | | | 2 |
| | | | 4 |
| | | | 5 |
| | 2.3 | | 9 |
| | | | 9 |
| | | | 22 |
| | | | 23 |
| | | | 24 |
| | 2.4 | | 25 |
| 3 | Emi | irical Observations of Stochastic and Dynamic | |
| 5 | | | 27 |
| | 3.1 | | 27 |
| | 3.2 | | 27 |
| | 3.3 | | 33 |
| | 3.4 | | 36 |
| | 3.5 | | 16 |
| | 5.5 | Summary 4 | .0 |
| 4 | | | 19 |
| | 4.1 | | 19 |
| | 4.2 | A Markov Model for Headway/Spacing Distributions 5 | 0 |

x Contents

| | | 4.2.1 | Background | 50 |
|----|------|----------|---|-----|
| | | 4.2.2 | Markov-Process Simulation Models | 52 |
| | | 4.2.3 | Simulation Results | 58 |
| | | 4.2.4 | Discussions | 61 |
| | 4.3 | Asymr | metric Stochastic Tau Theory in Car-Following | 63 |
| | | 4.3.1 | Asymmetric Stochastic Extension of the Tau Theory | 64 |
| | | 4.3.2 | Testing Results | 68 |
| | | 4.3.3 | Discussions | 78 |
| 5 | Stoc | hastic I | Fundamental Diagram Based | |
| | | | y/Spacing Distributions | 81 |
| | 5.1 | | uction | 81 |
| | 5.2 | | l's Simplified Model and Its Stochastic Extension | 83 |
| | 5.3 | | Iomogeneous Platoon Model | 89 |
| | | 5.3.1 | Basic Idea | 89 |
| | | 5.3.2 | Summation of Lognormal Random Variables | 91 |
| | | 5.3.3 | Average Headway Distribution | 92 |
| | | 5.3.4 | Model Validation | 97 |
| | | 5.3.5 | Sensitivity Analysis | 105 |
| | 5.4 | | eterogeneous Platoon Model | 109 |
| | 200 | 5.4.1 | Average Headway Distribution | 109 |
| | | 5.4.2 | Validation | 111 |
| | | 5.4.3 | Boundaries of Congested Flows | 113 |
| | 5.5 | Summ | ary | 115 |
| 6 | Two | S Flor | y Dweekdown Model Bosed on Headway/Specing | |
| O. | | | w Breakdown Model Based on Headway/Spacing | 117 |
| | 6.1 | | | 117 |
| | 6.2 | | uction | 118 |
| | 6.3 | | arametric Lifetime Statistics Approach | 121 |
| | 0.5 | 6.3.1 | Backgrounds | 121 |
| | | 6.3.2 | Some Previous Models. | 123 |
| | | 6.3.3 | G/G/1 Queueing Model | 125 |
| | | 6.3.4 | Discussions | 140 |
| | | 6.3.5 | Model Validation | 141 |
| | | 6.3.6 | | 143 |
| | 6.1 | | Summary | 143 |
| | 6.4 | | Diagram Analysis | 143 |
| | | 6.4.1 | Backgrounds | 145 |
| | | 6.4.3 | | 151 |
| | | 6.4.4 | The Analytical Solution for Phase Diagram | 151 |
| | 6.5 | | Numerical Example | 161 |
| | U.J | DISCUS | SSIONS | 101 |

| Contents | xi |
|----------|----|
|----------|----|

| 7 Conclusions and Future Work | 163 |
|--|-----|
| Appendix A: Linear Stability Analysis of the Higher-Order Macroscopic Model | 167 |
| Appendix B: Linear Stability Analysis of the Multi-Anticipative Car-Following Models | 171 |
| References | 177 |
| Index | 189 |

Chapter 1 Introduction

1.1 Motivation

Traffic congestion results in a number of negative effects on: (1) *Mobility*. Travel delays and wasting time of passengers or goods reduce the efficiency of transportation systems and increase opportunity costs; (2) *Safety*. Higher probability of serious injuries and death crashes as a result of human fallibility in congested flows; (3) *Sustainability*. Increased travel time and oscillatory acceleration/braking maneuvers in traffic congestion induce significant environmental impacts, such as fuel consumption, greenhouse gas emissions, air pollution, noises, etc.

Road traffic flow is influenced by various random factors, including both external factors (e.g., weather) and internal factors (e.g., transportation facilities, vehicle characteristics, driver behaviors, etc.). These stochastic influences make deterministic traffic flow models difficult to accurately estimate and predict dynamic evolutions. To overcome this problem, numerous stochastic approaches were developed for continuous traffic flow on the basis of microscopic/macroscopic traffic flow models. Particularly, different kinds of drivers (e.g., aggressive versus passive, young versus old, skilled versus greenhand, rigorous versus fatigued) run different kinds of vehicles (e.g., cars versus trucks, buses) on the same road, and thus, traffic flow is heterogeneous.

Since headway/spacing/velocity perform fundamental roles in stochastic traffic flow modeling, it is significant to study their stochastic characteristics in traffic flow evolutions. According to *Highway Capacity Manual 2000* (on page 48 of Transportation Research Board of the National Academies (2000)),

Definition 1.1 Headway (time headway, h) is the time, in seconds, between two successive vehicles as they pass a point on the roadway, measured from the same common feature of both vehicles.

Studies on headway distributions received continuous interests since the birth of traffic flow research, because of their wide applications ranging from measuring road capacity to scheduling traffic signals. Headway distribution model is one of

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